

Machine Learning and Computer Vision

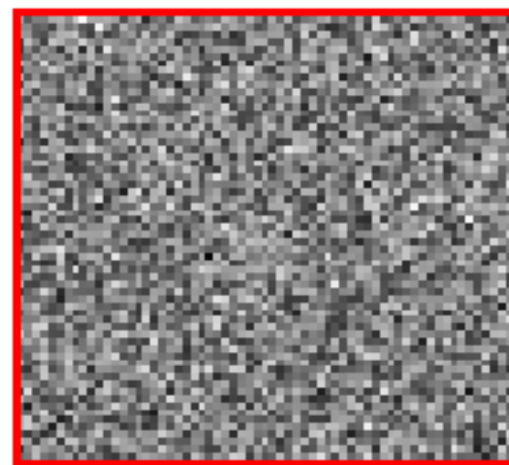
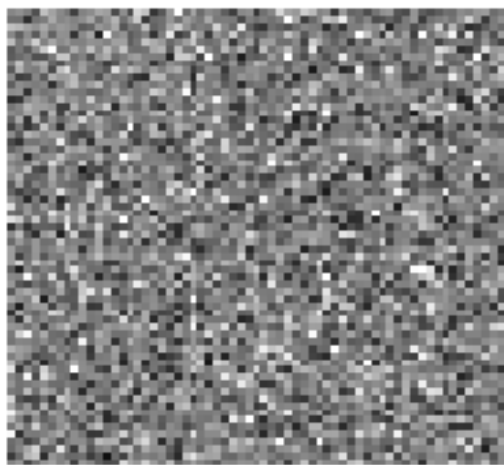
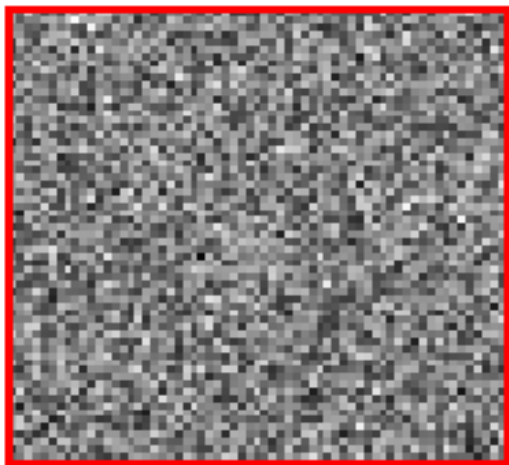
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Department of Computer Science and
Engineering

SIGML
20th March 2010

A glance at Computer Vision Problems

- Object Segmentation
- Object Recognition
- Image clustering
- Object tracking
- Denoising images/ Videos

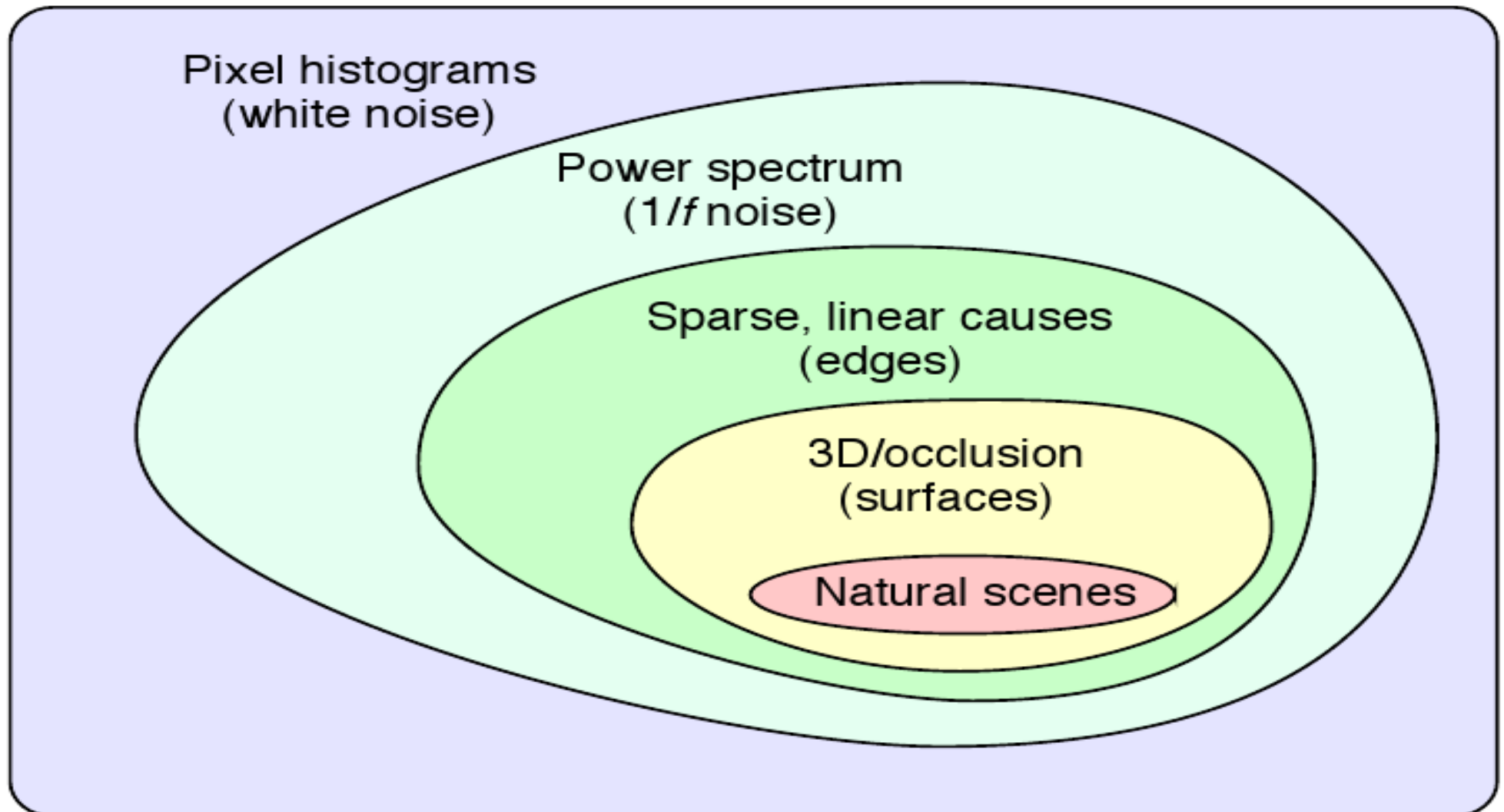
Images ??



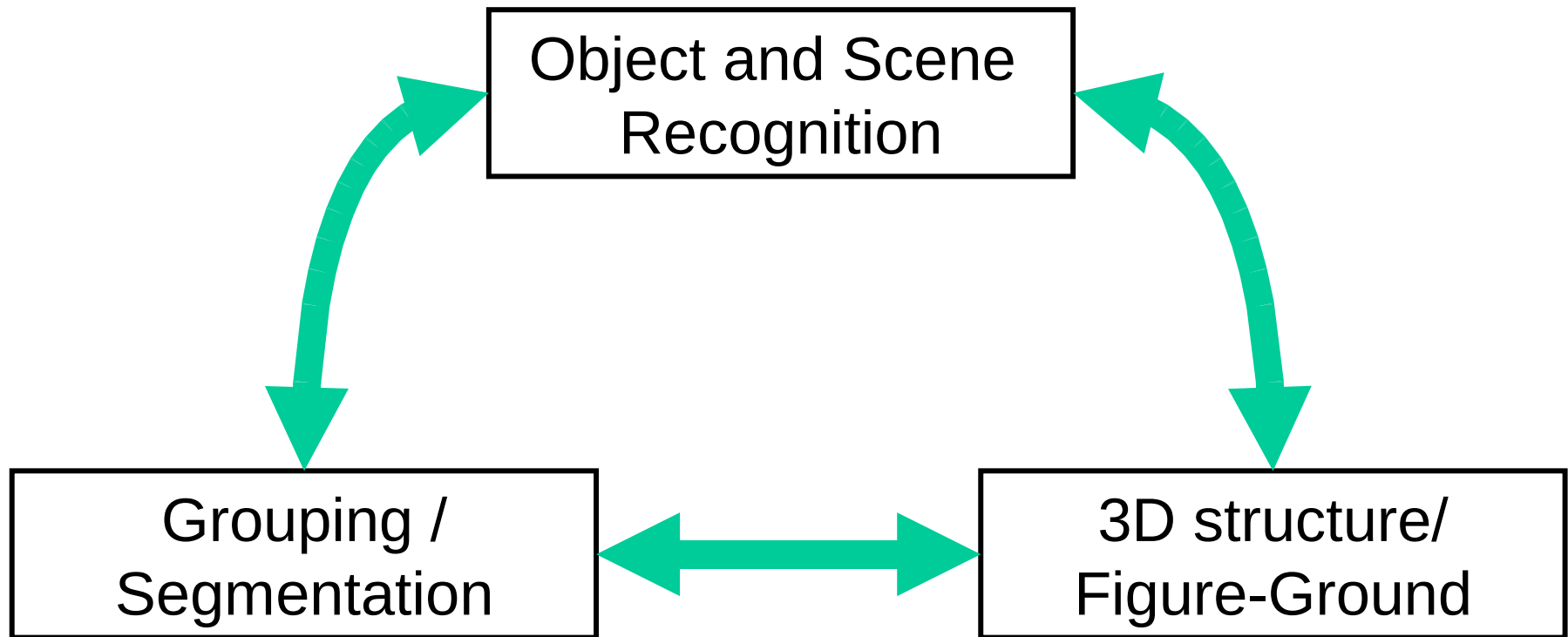
Natural Images



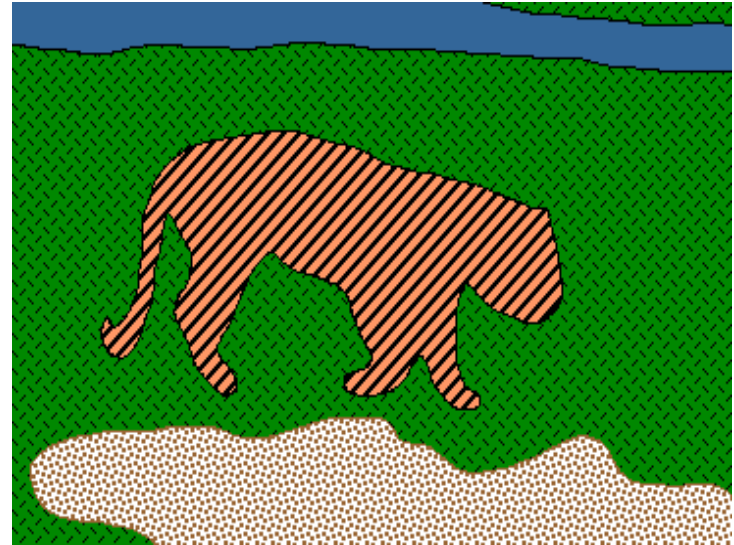
Where do Natural Images lie?



The central problems of images



Segmentation: From images to objects



MSRC dataset



	Building		Grass		Tree		Cow		Sheep		Sky		Aeroplane
	Water		Face		Car		Bicycle		Flower		Sign		Bird
	Book		Chair		Road		Cat		Dog		Body		Boat

Detection and Segmentation: Bottles

Orig. Image Segmentation

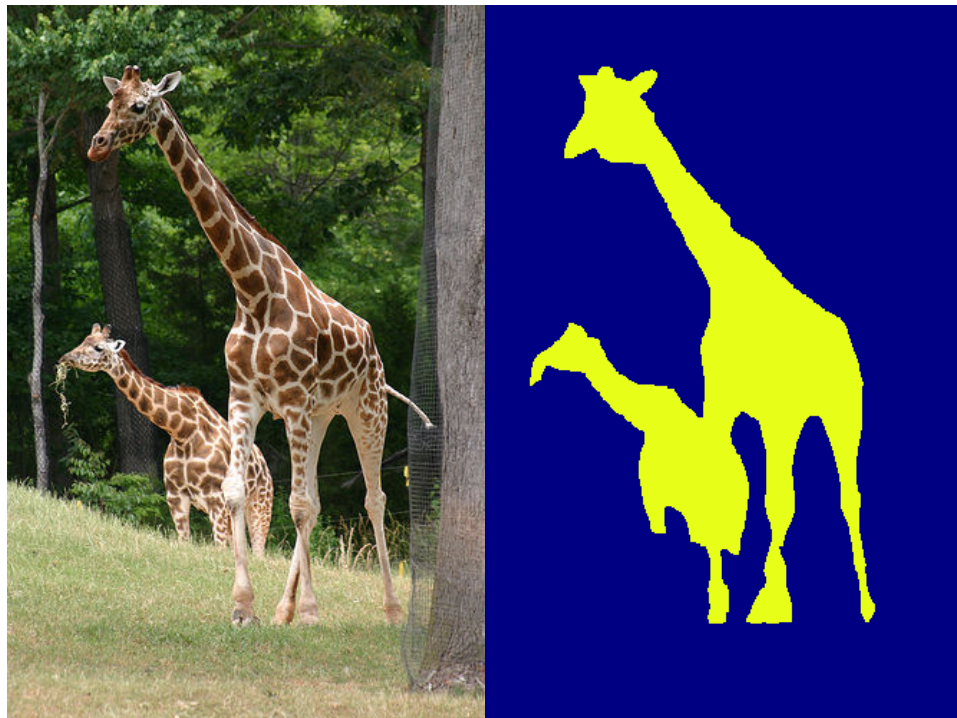


Orig. Image Segmentation



Detection and Segmentation: Giraffes

Orig. Image Segmentation



Orig. Image Segmentation



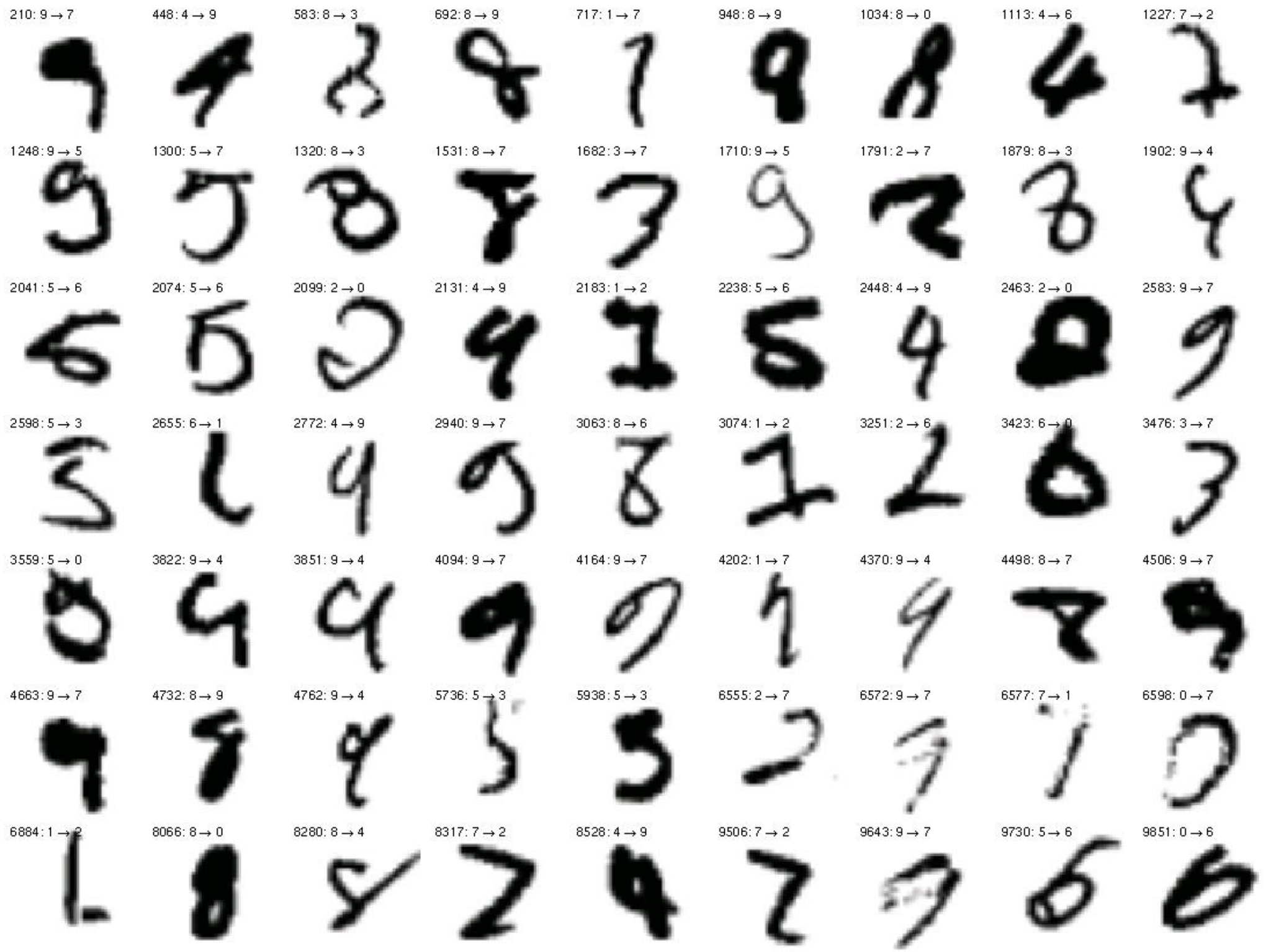
Detection and Segmentation: Mugs

Orig. Image Segmentation

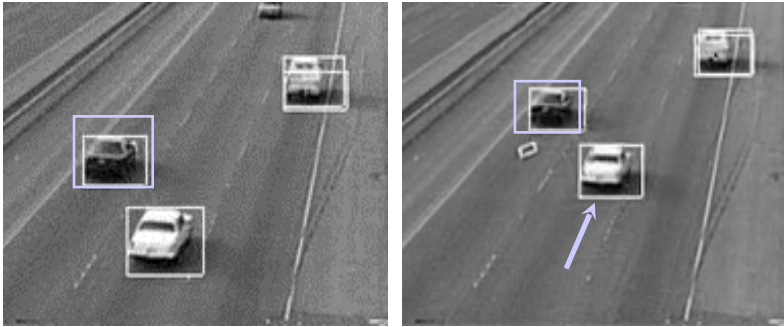


Orig. Image Segmentation





Temporal Segmentation: Tracking



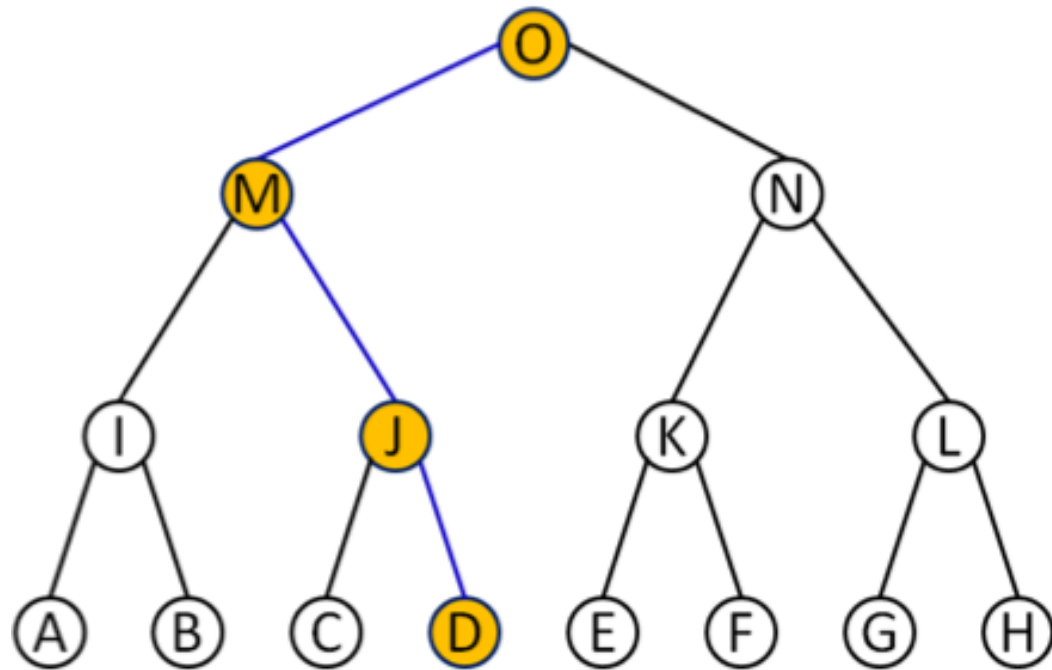
Object Representation using Regions



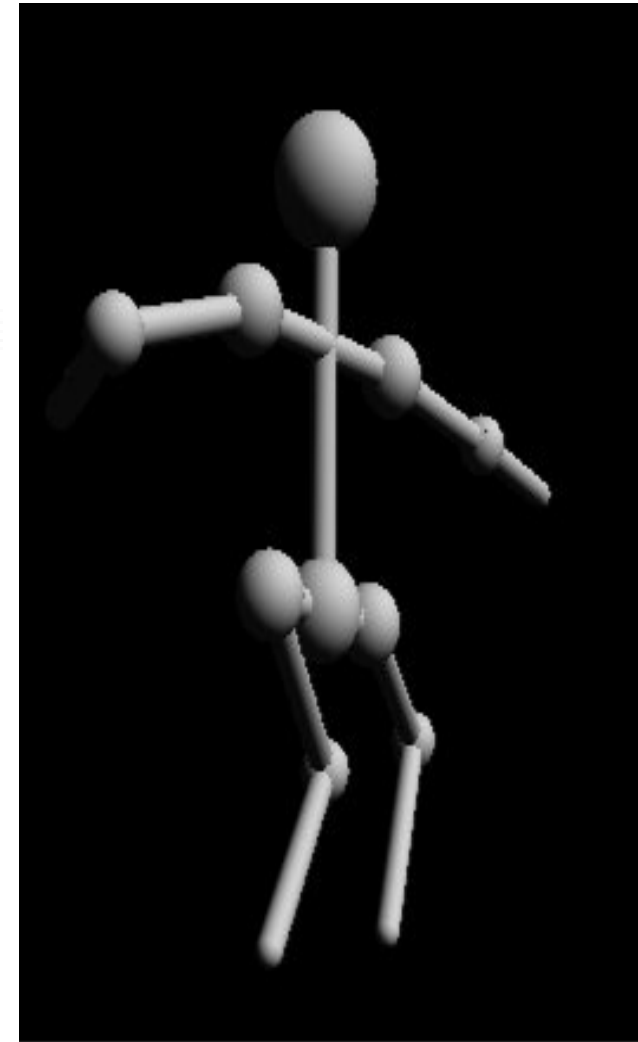
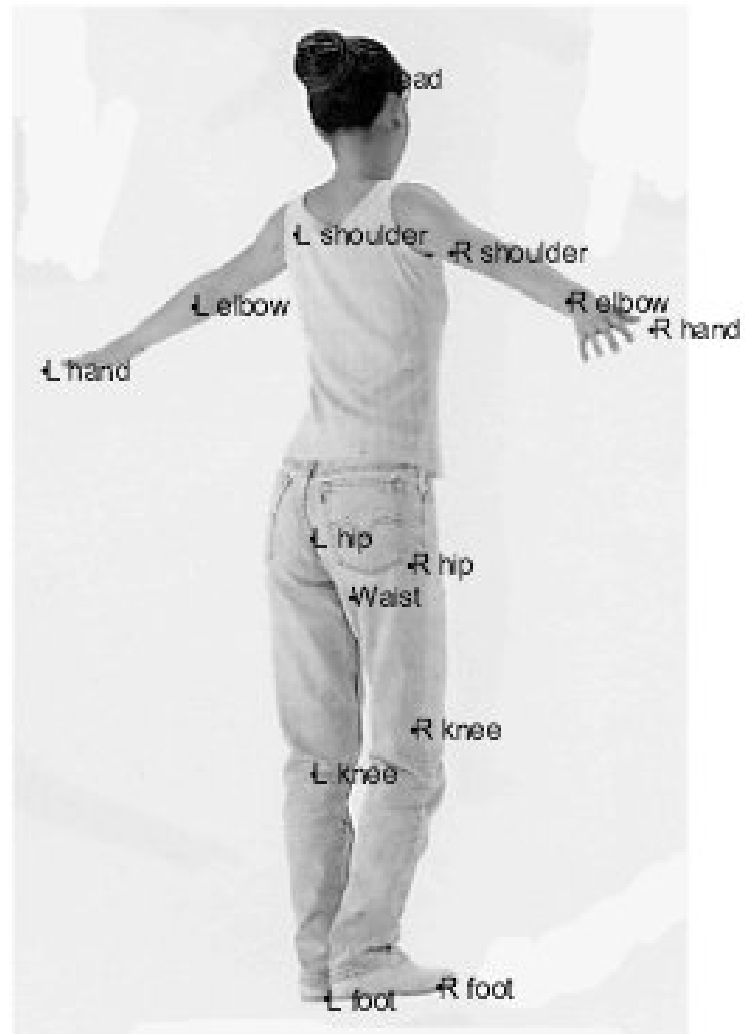
Region
Segmentation



Context from region tree



Human body configurations



3D detection - Tsukaba

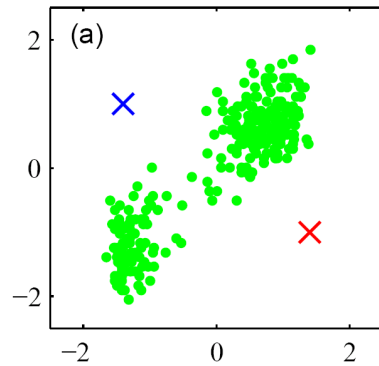


Some Machine Learning Techniques

- K-means clustering
- SVM
 - Kernel Trick
- Belief Propagation
- Markov Random Fields

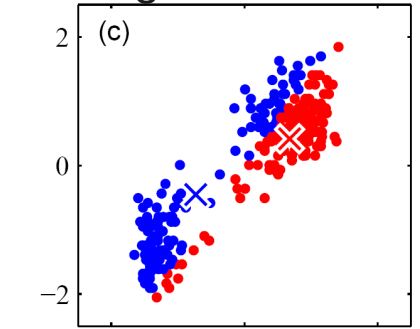
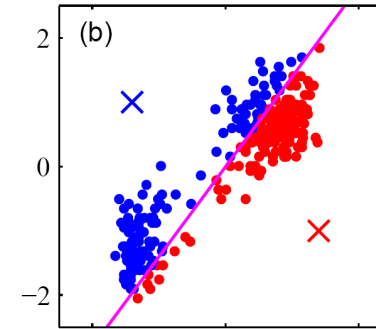
K-means clustering

Data and initial (random) means

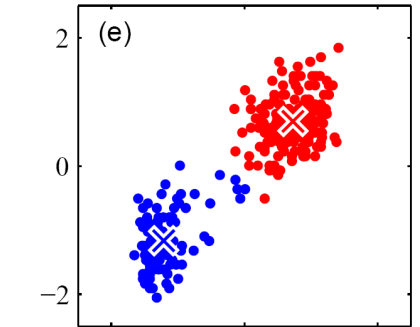
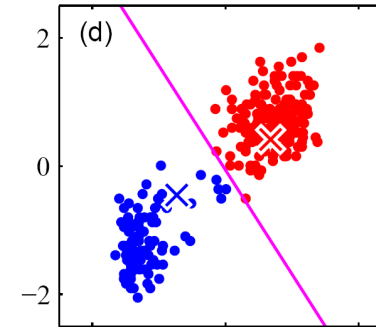


Assign each point to its nearest mean Set each mean to the average of its data

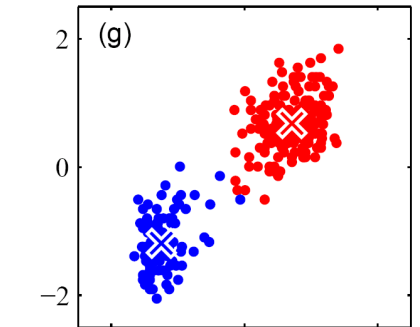
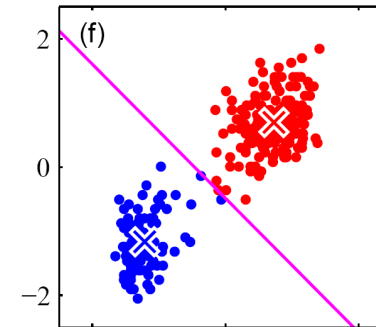
Iteration 1



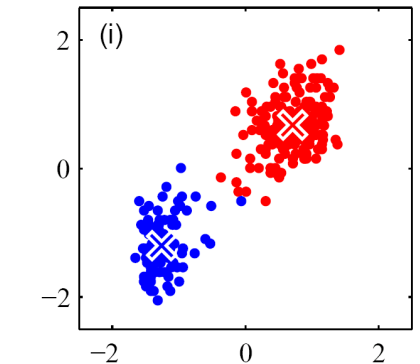
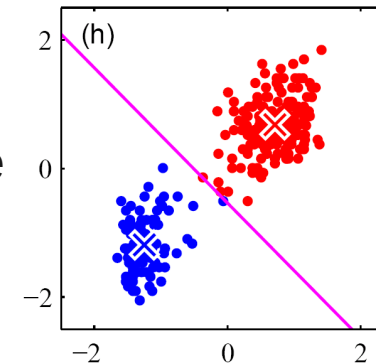
Iteration 2



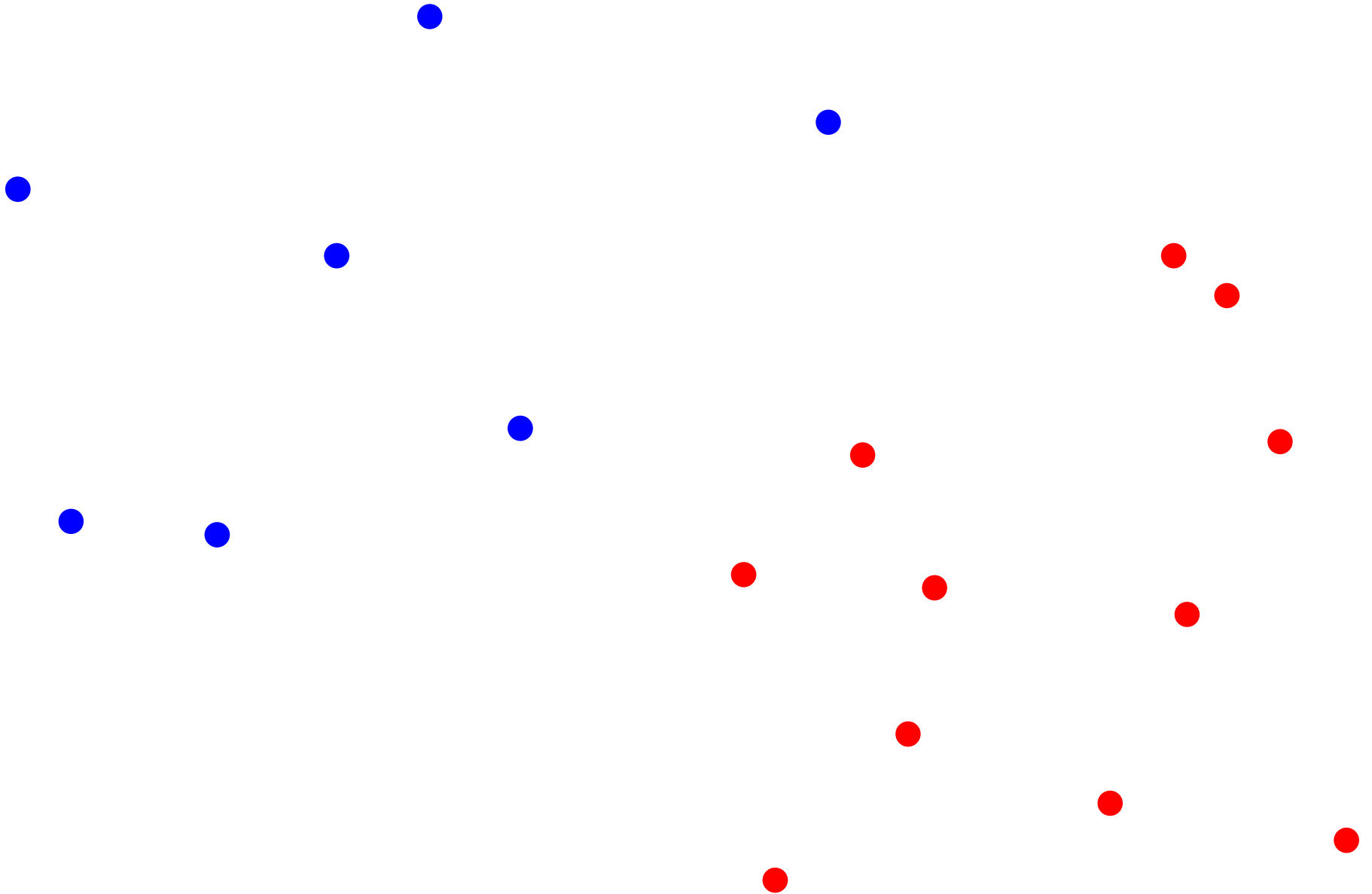
Iteration 3



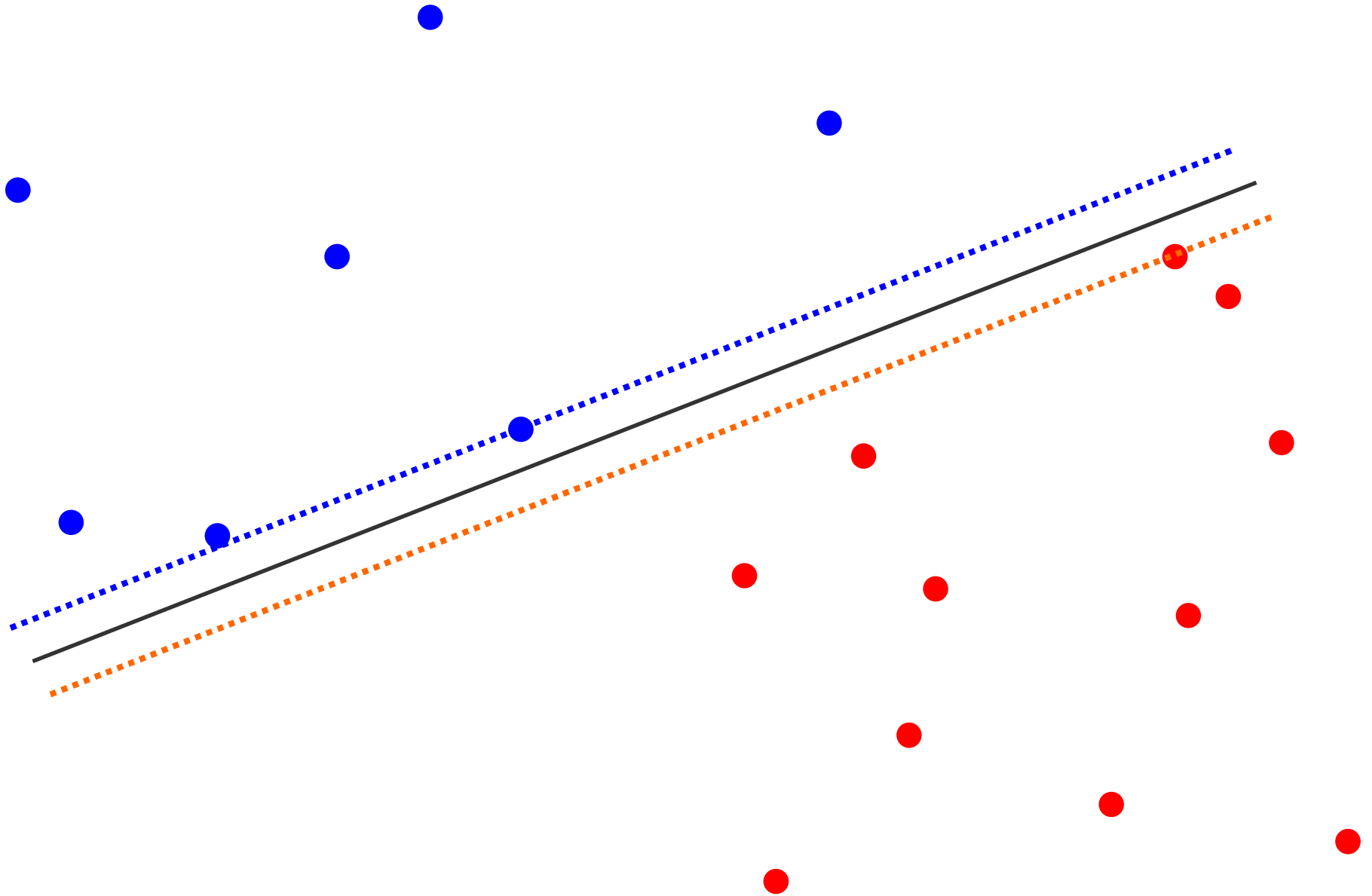
Iteration 4 and convergence



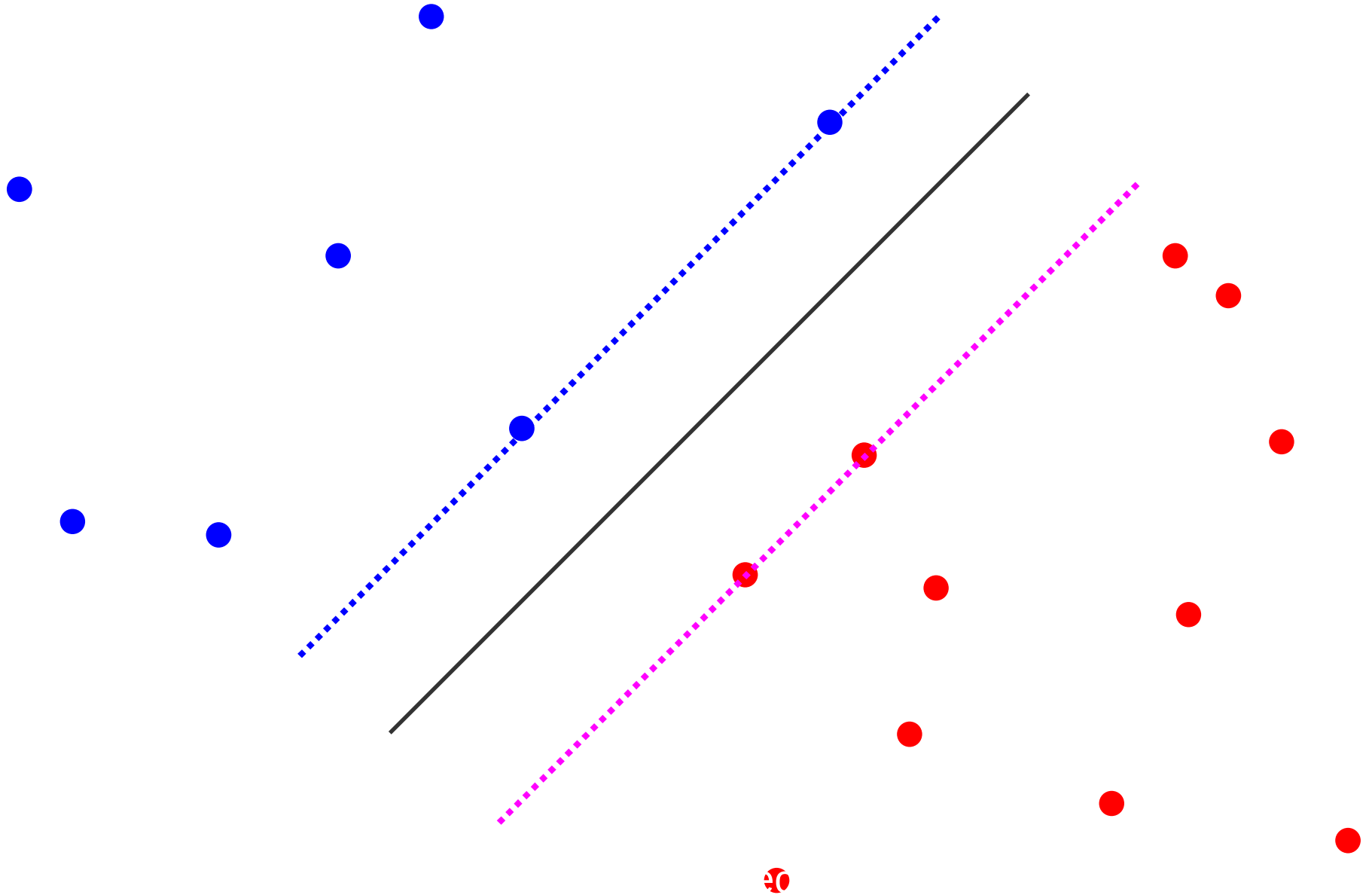
Binary Classification



A Separating Hyperplane



Maximum Margin Hyperplane



Some Popular Kernels

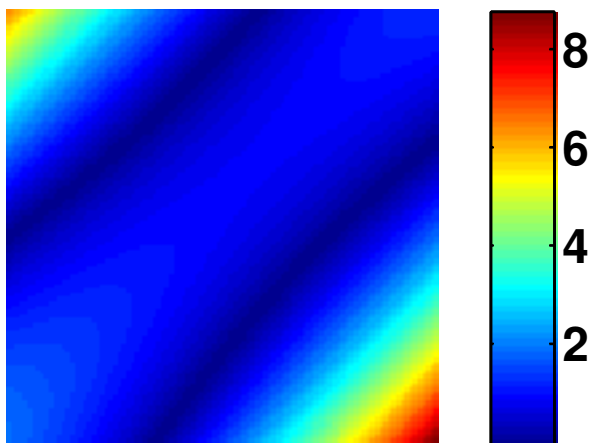
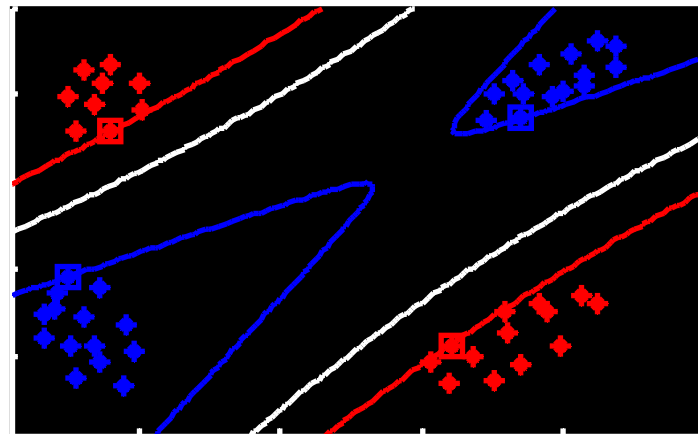
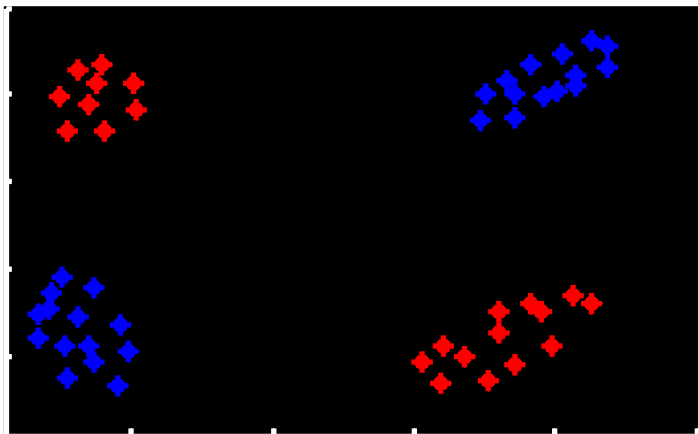
Linear : $K(\mathbf{x}_i, \mathbf{x}_j) = \mathbf{x}_i^t \boldsymbol{\Sigma}^{-1} \mathbf{x}_j$

Polynomial : $K(\mathbf{x}_i, \mathbf{x}_j) = (\mathbf{x}_i^t \boldsymbol{\Sigma}^{-1} \mathbf{x}_j + c)^d$

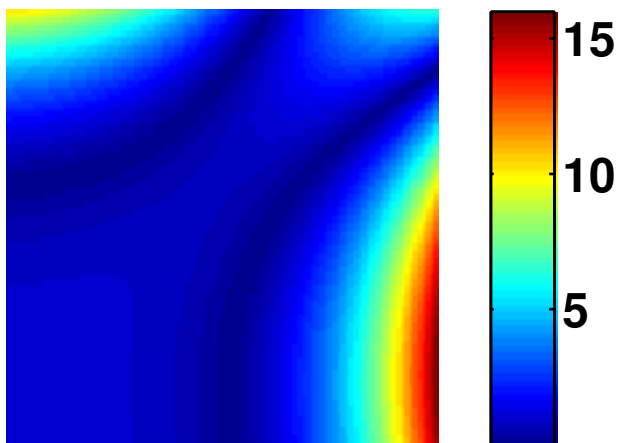
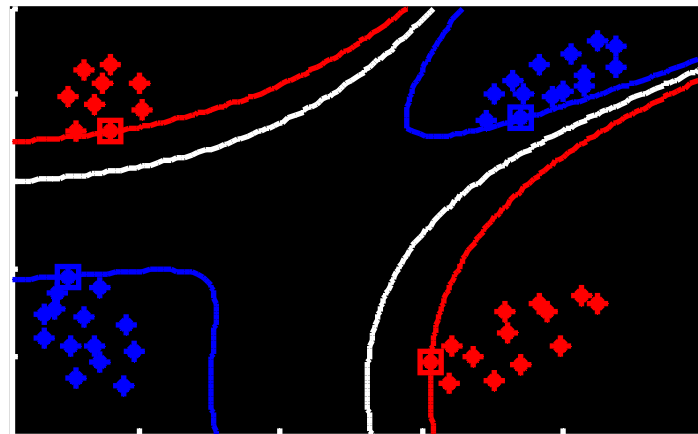
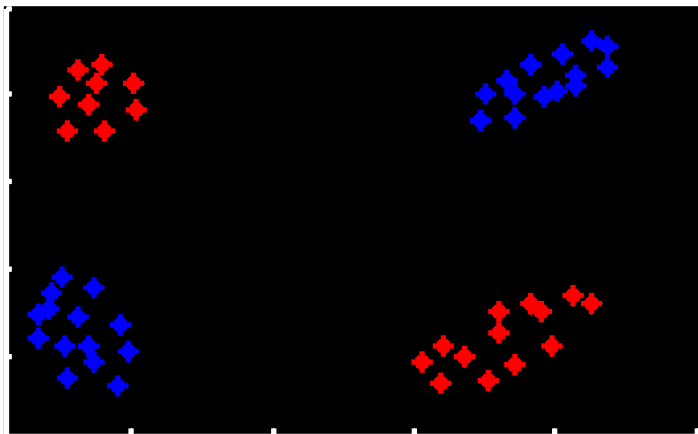
Gaussian (RBF) : $K(\mathbf{x}_i, \mathbf{x}_j) = \exp(-\sum_k \gamma_k (\mathbf{x}_{ik} - \mathbf{x}_{jk})^2)$

Sigmoid : $K(\mathbf{x}_i, \mathbf{x}_j) = \tanh(\mathbf{x}_i^t \mathbf{x}_j - c)$

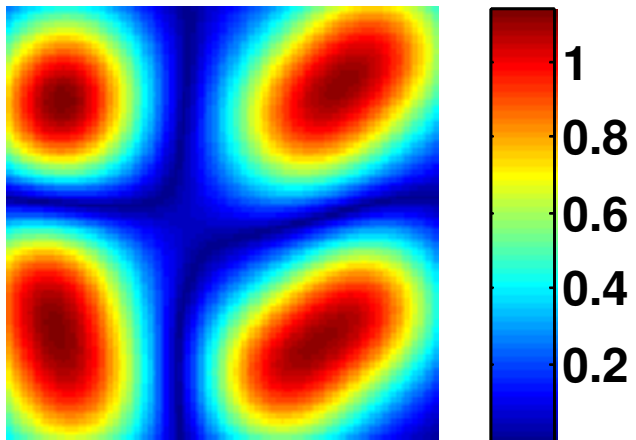
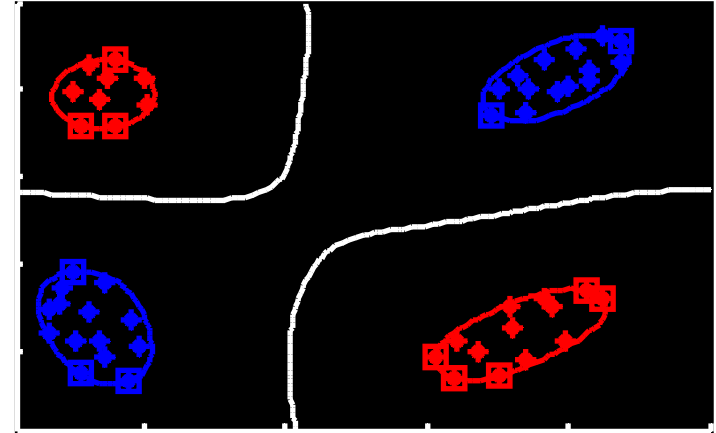
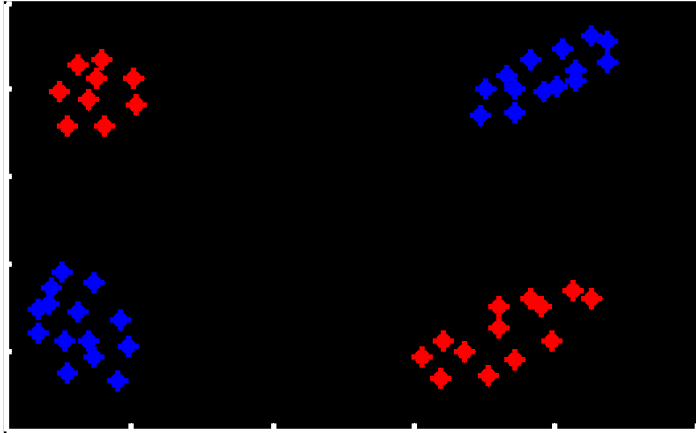
Polynomial Kernel of Degree 2



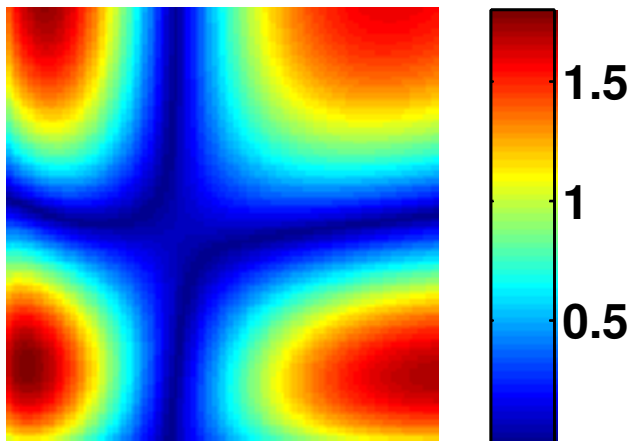
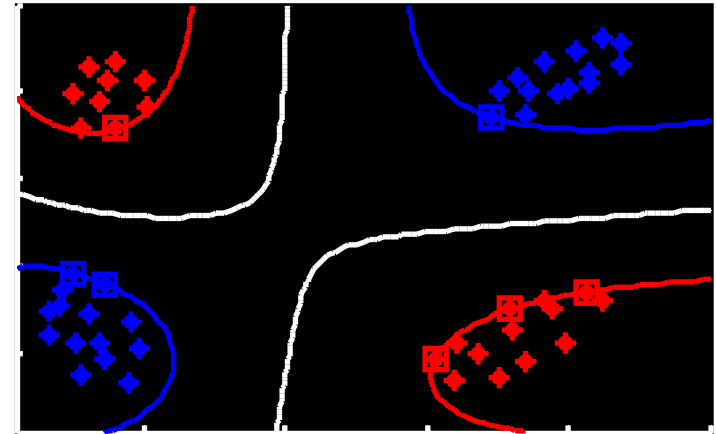
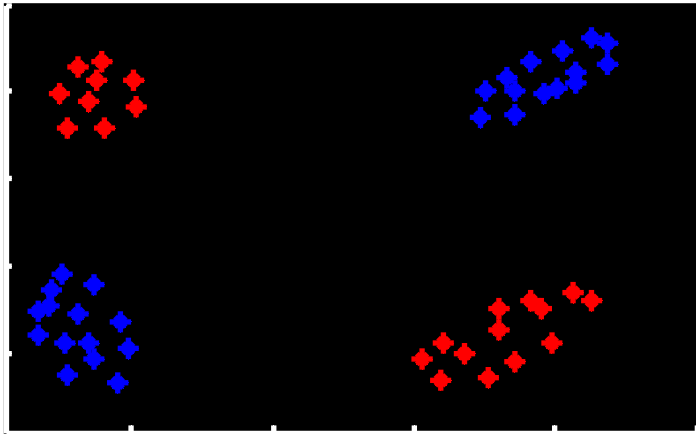
Polynomial Kernel of Degree 5



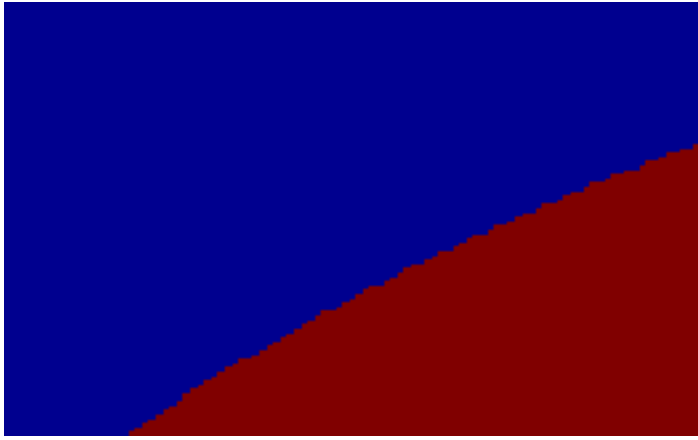
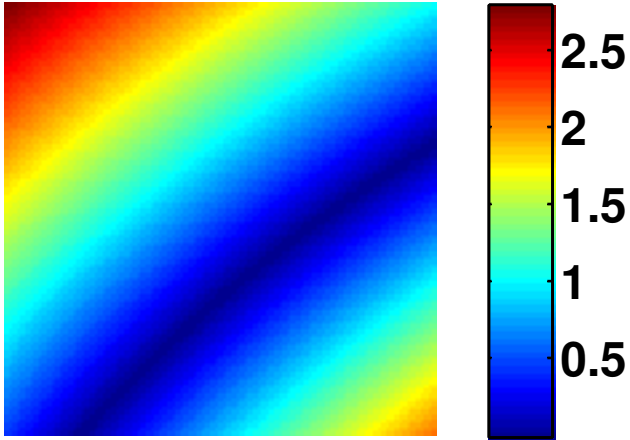
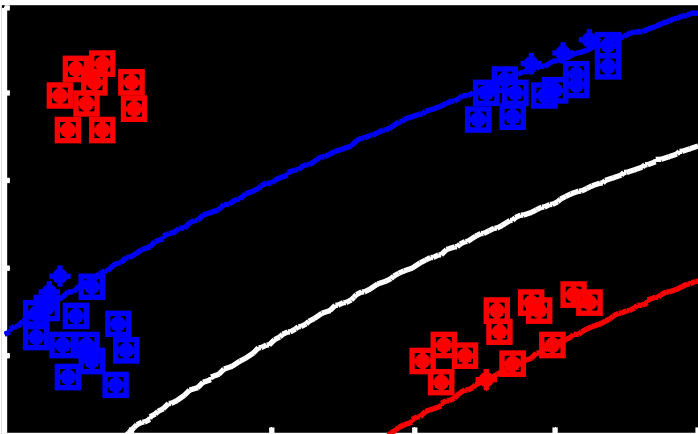
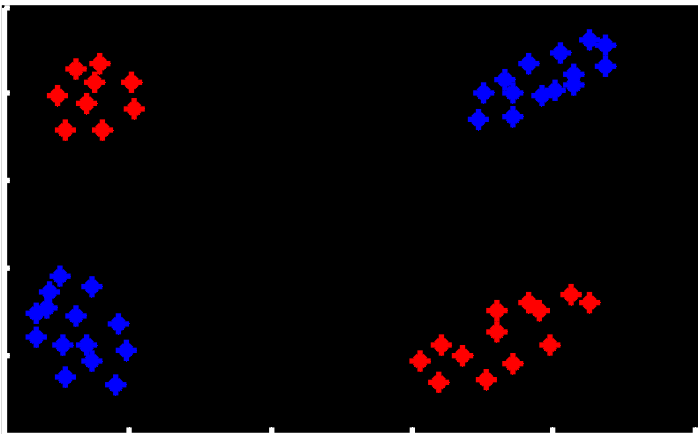
RBF Kernel



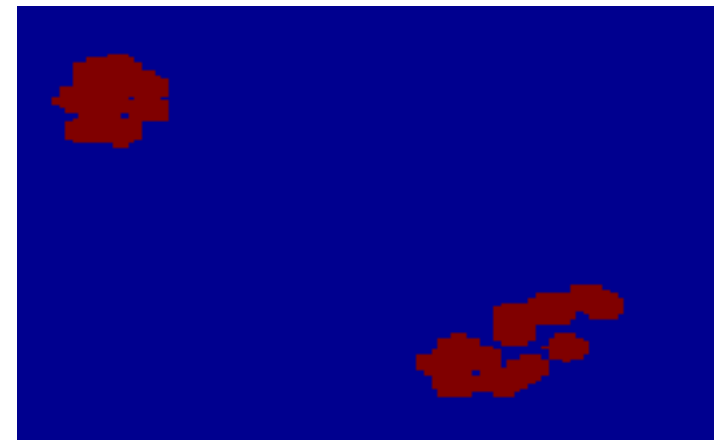
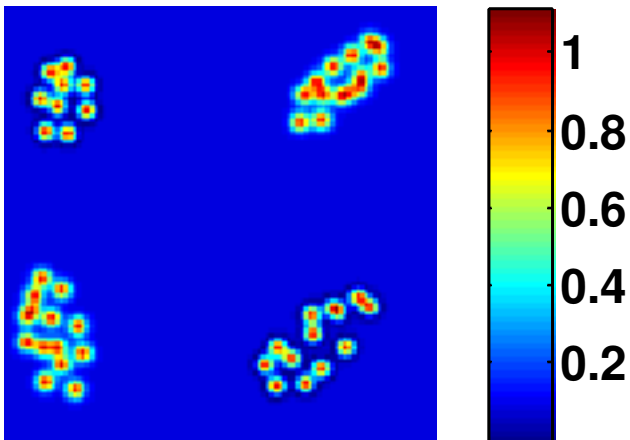
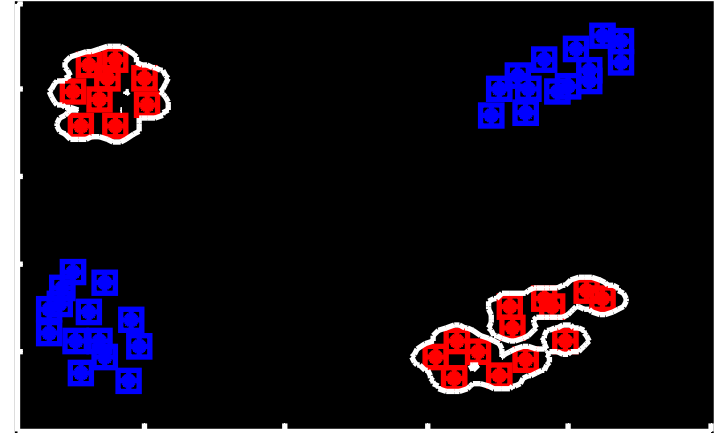
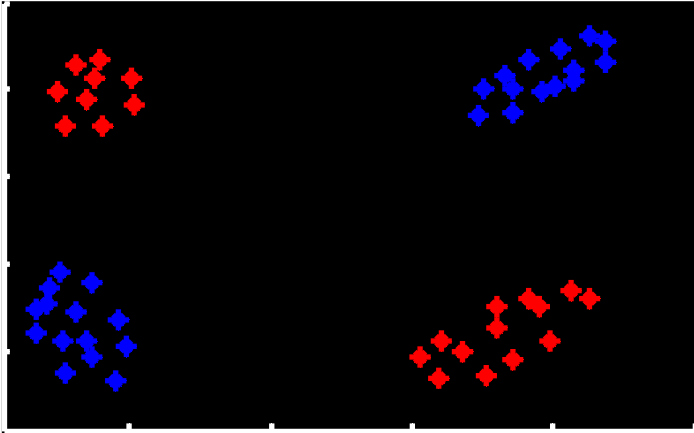
Exponential χ^2 Kernel



Kernel Parameter Setting - Underfitting



Kernel Parameter Setting – Overfitting



Intersection Kernel

Histogram Intersection kernel between histograms a, b

$$K(a, b) = \sum_{i=1}^n \min(a_i, b_i) \quad \begin{array}{l} a_i \geq 0 \\ b_i \geq 0 \end{array}$$

K small $\rightarrow a, b$ are different

K large $\rightarrow a, b$ are similar

New Kernel

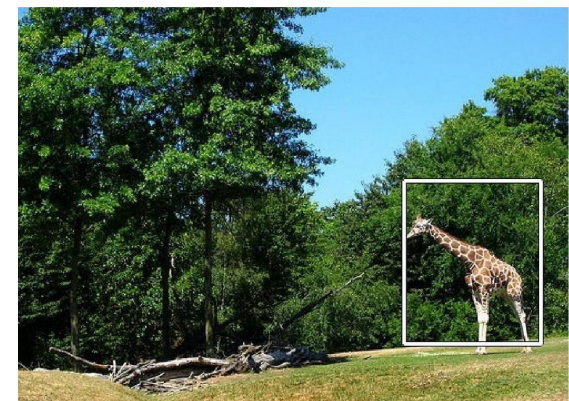
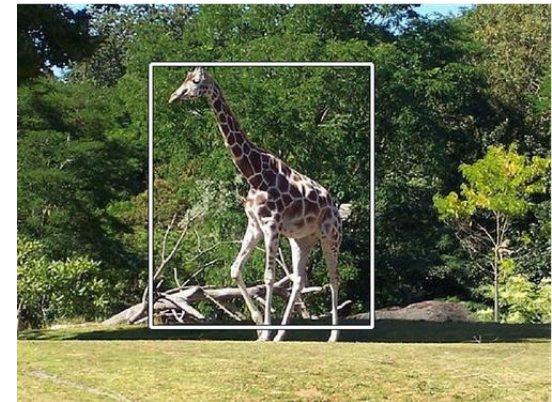
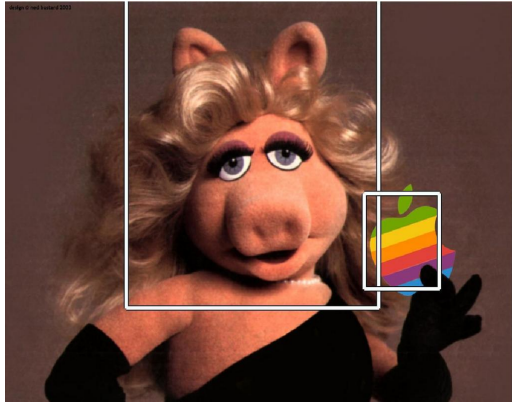
Decision function is $\text{sign}(h(x))$ where:

Linear:
$$h(x) = w'x + b = \sum_{i=1}^{\text{\#dim}} w_i x_i + b$$

Non-linear
Using
Kernel
$$h(x) = \sum_{j=1}^{\text{\#sv}} \alpha^j K(x, x^j) + b$$

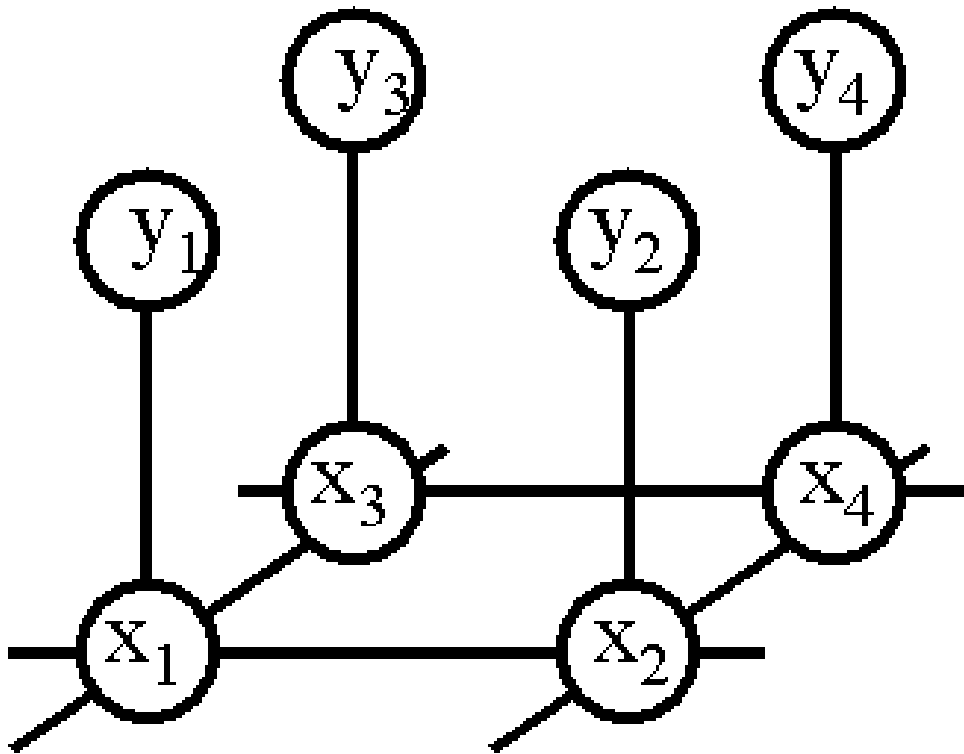
Histogram
Intersection
Kernel
$$= \sum_{j=1}^{\text{\#sv}} \left(\alpha^j \sum_{i=1}^{\text{\#dim}} \min(x_i, x_i^j) \right) + b$$

Results – ETHZ Dataset



Markov Random Fields

- Allows rich probabilistic models for images.
- But built in a local, modular way. Learn local relationships, get global effects out.



MRF nodes as pixels

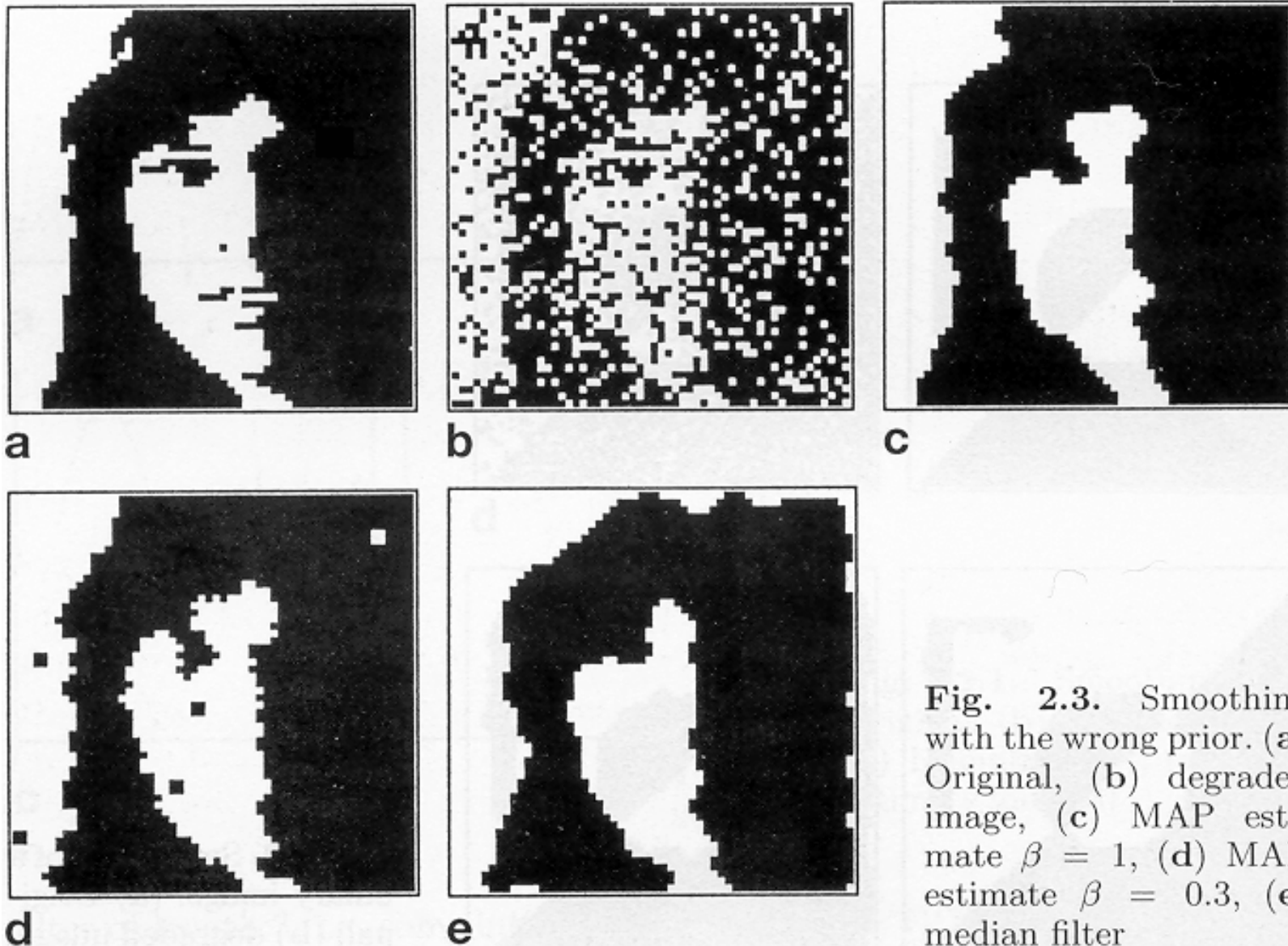
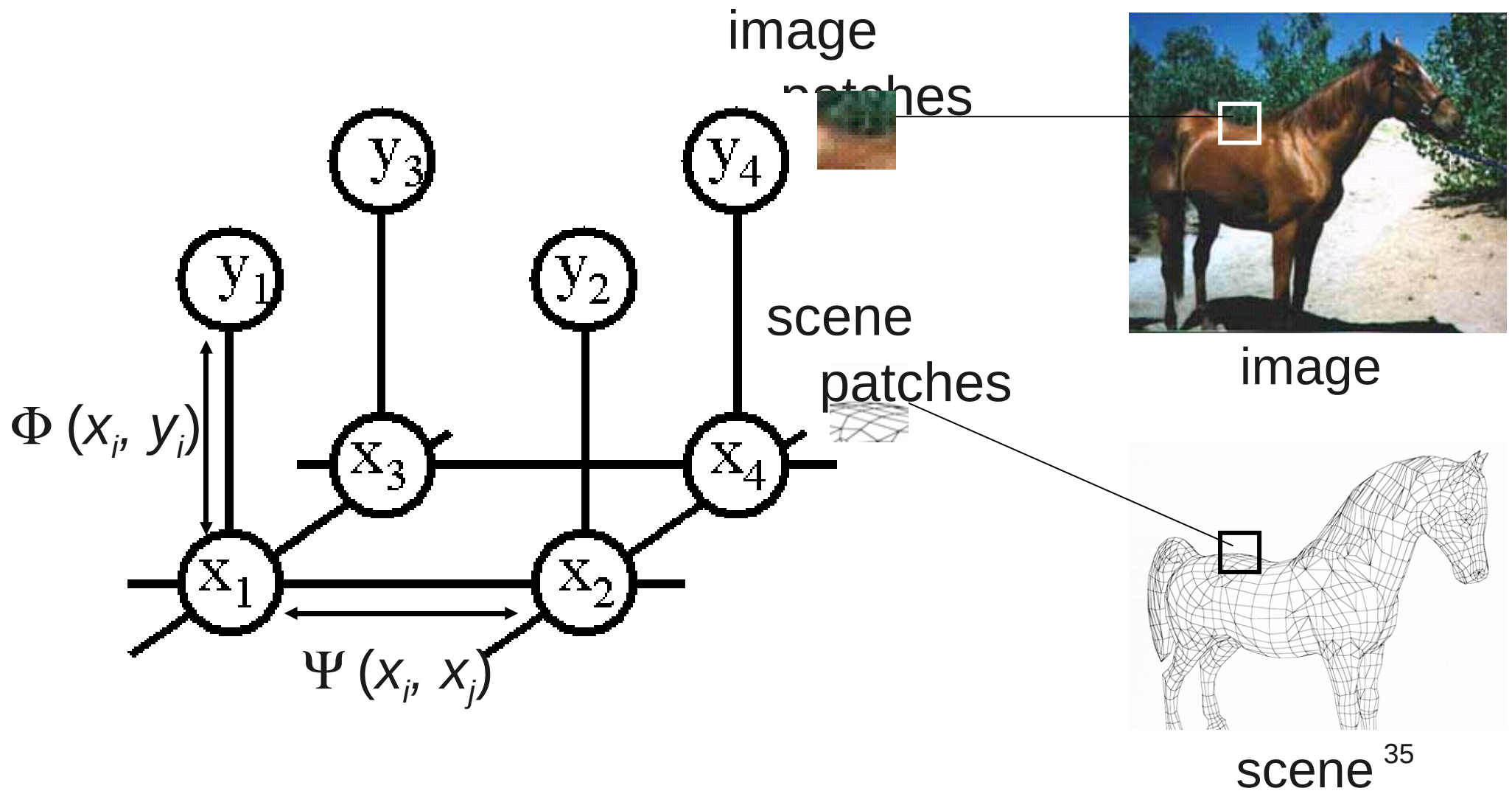


Fig. 2.3. Smoothing with the wrong prior. (a) Original, (b) degraded image, (c) MAP estimate $\beta = 1$, (d) MAP estimate $\beta = 0.3$, (e) median filter

MRF nodes as patches



Super-resolution

- Image: low resolution image
- Scene: high resolution image

ultimate goal...

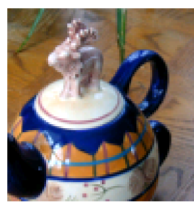
image



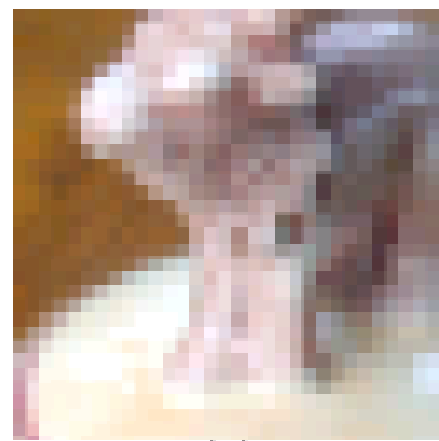
scene



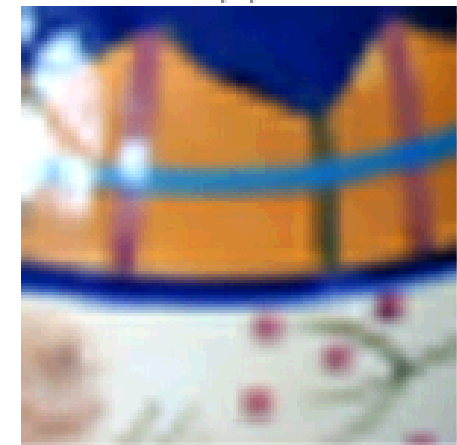
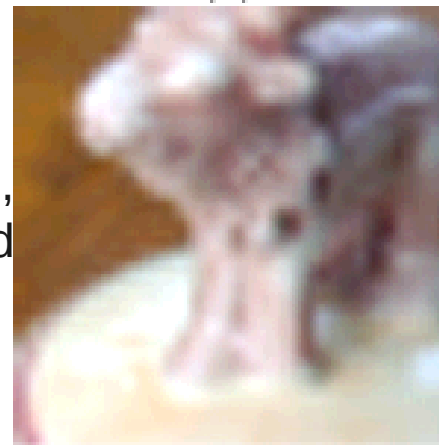
Pixel-based images are not resolution independent



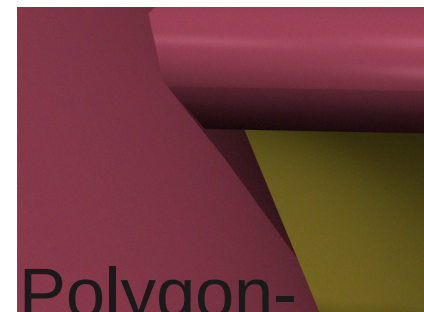
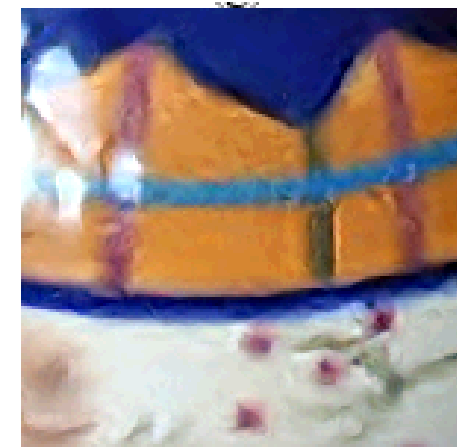
Pixel replication



Cubic spline,
sharpened



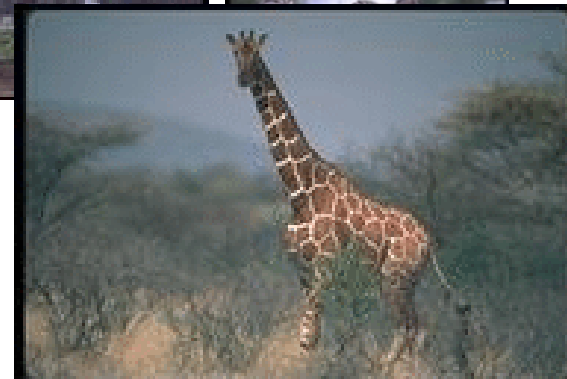
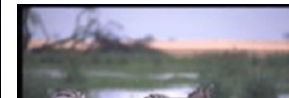
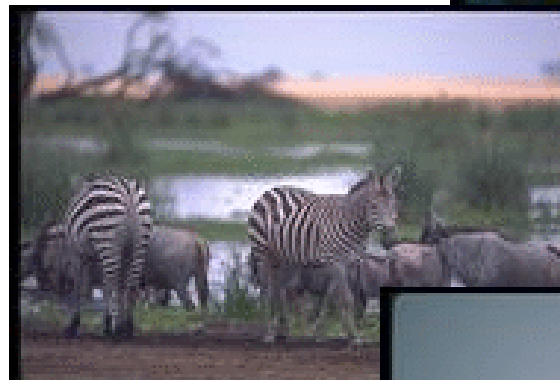
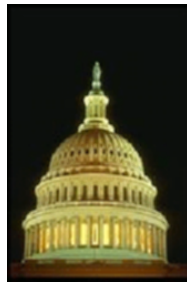
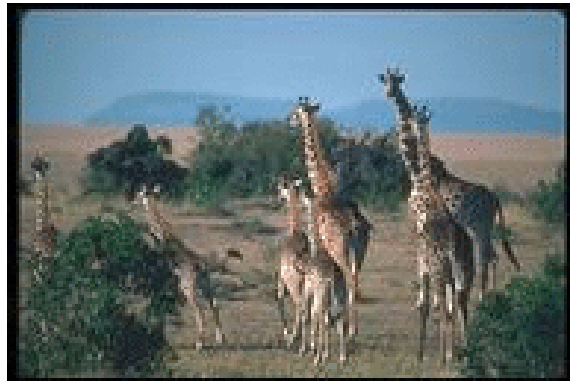
Training-based super-resolution



Polygon-based graphics images are resolution independent

Training images, ~100,000 image/scene patch pairs

Images from two Corel database categories:
“giraffes” and “urban skyline”.



Do a first interpolation



Zoomed low-resolution



Low-resolution



Zoomed low-resolution



Full frequency original



Low-resolution

Representation

Zoomed low-freq.



Full freq. original

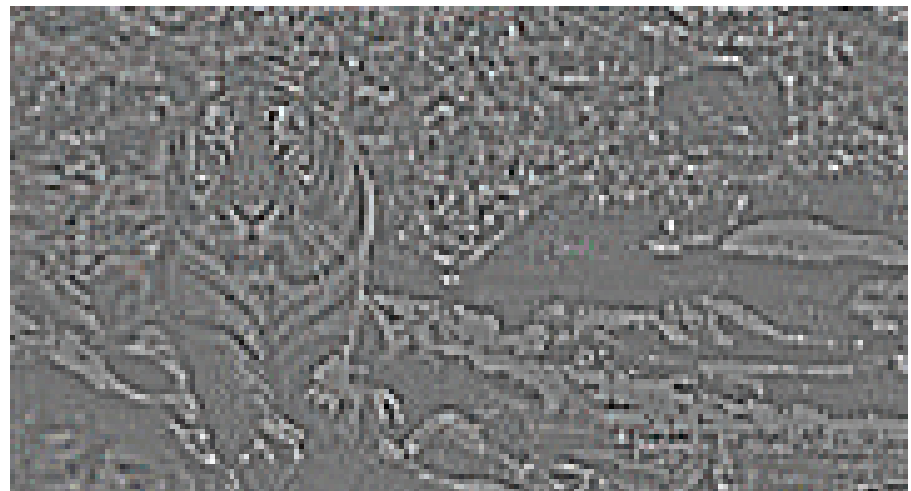


Representation

Zoomed low-freq.



Full freq. original

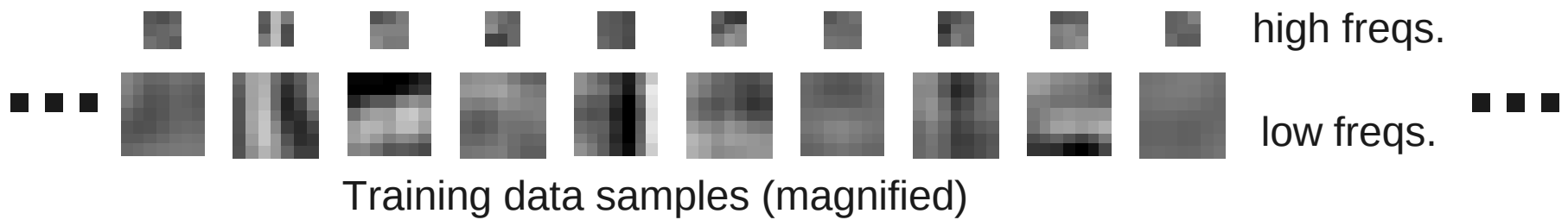


Low-band input
(contrast normalized,
PCA fitted)

True high freqs

(to minimize the complexity of the relationships we have to learn, we remove the lowest frequencies from the input image, and normalize the local contrast level).

Gather ~100,000 patches

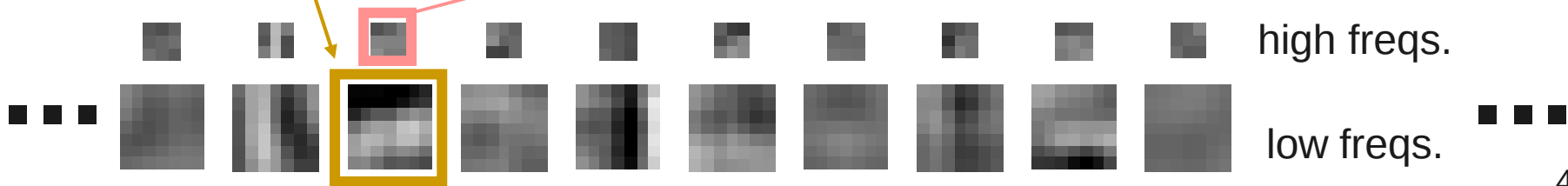
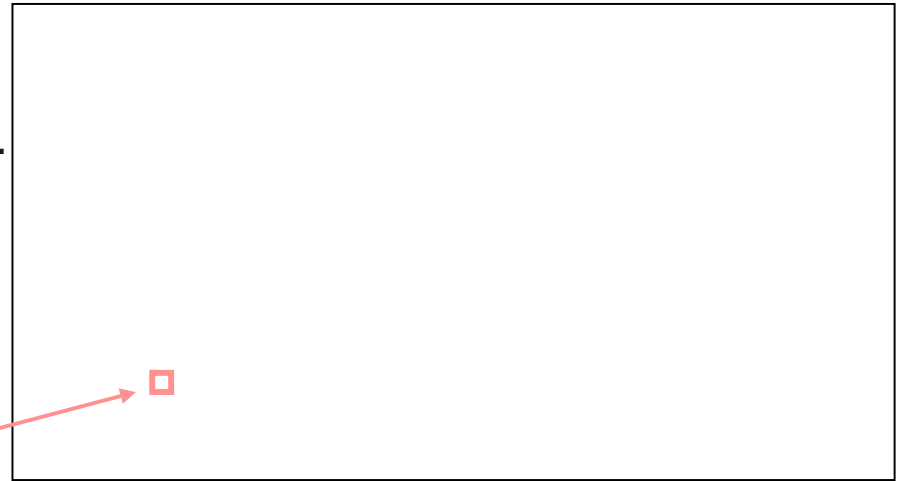


Nearest neighbor estimate

Input low freqs.



Estimated high freqs.



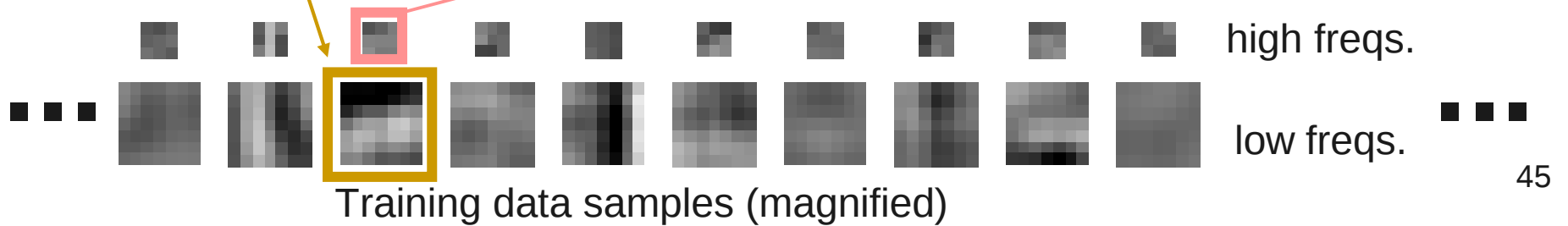
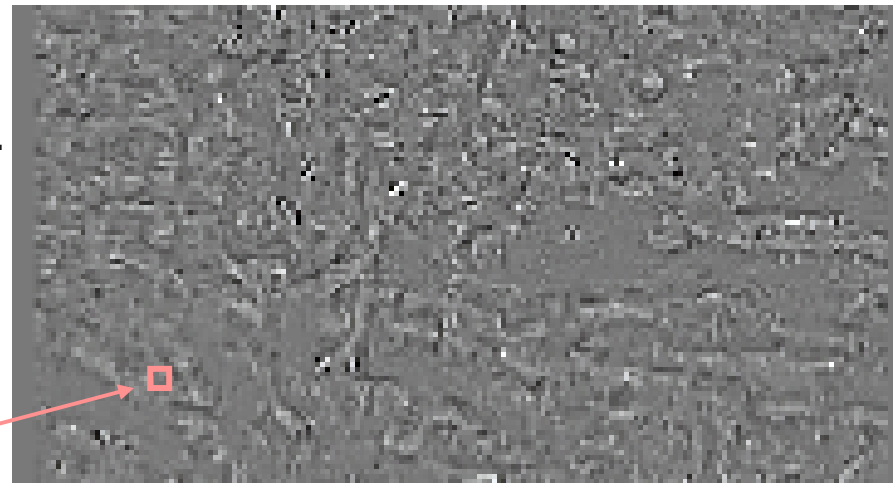
Training data samples (magnified)

Nearest neighbor estimate

Input low freqs.



Estimated high freqs.



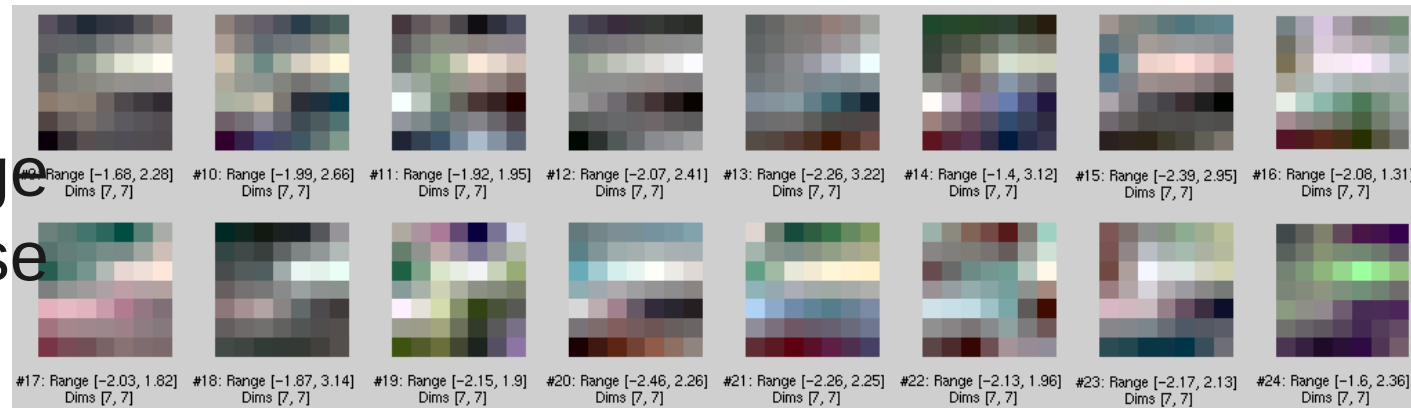
Example: input image patch, and closest matches from database

Input patch



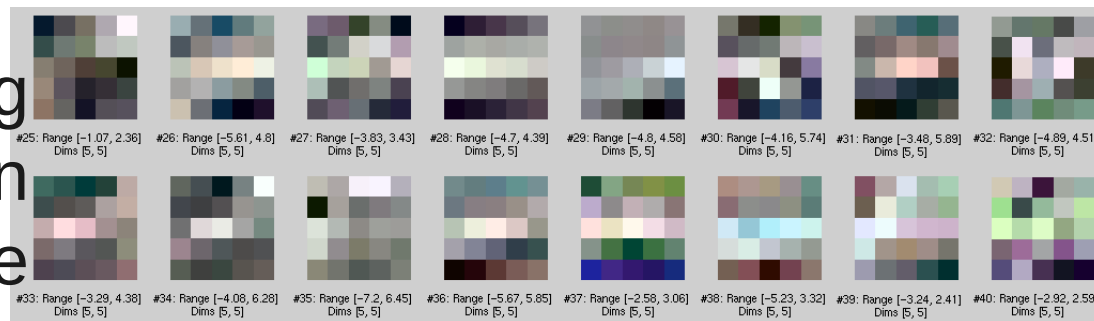
Closest image

patches from database

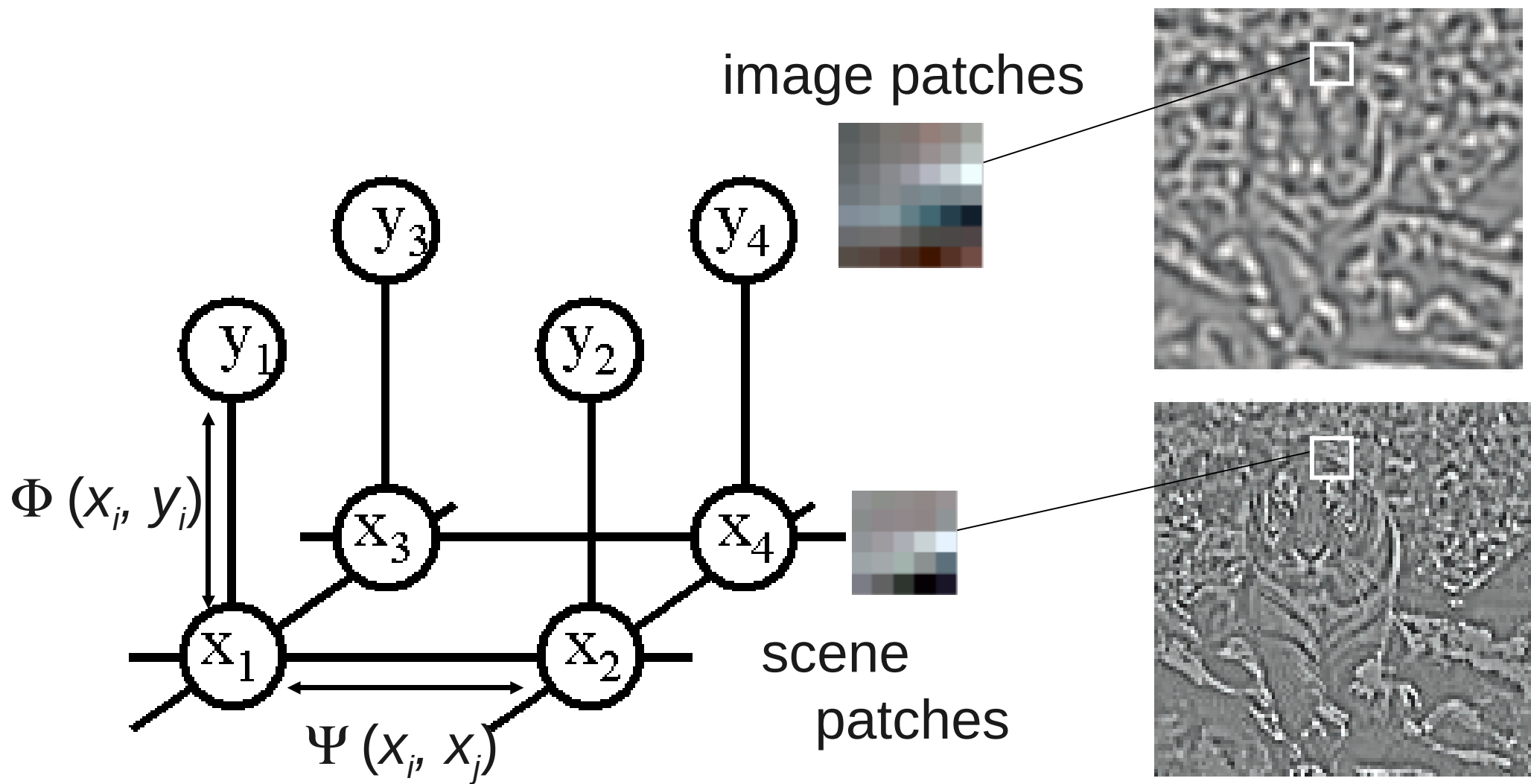


Corresponding high-resolution

patches from database



Markov network

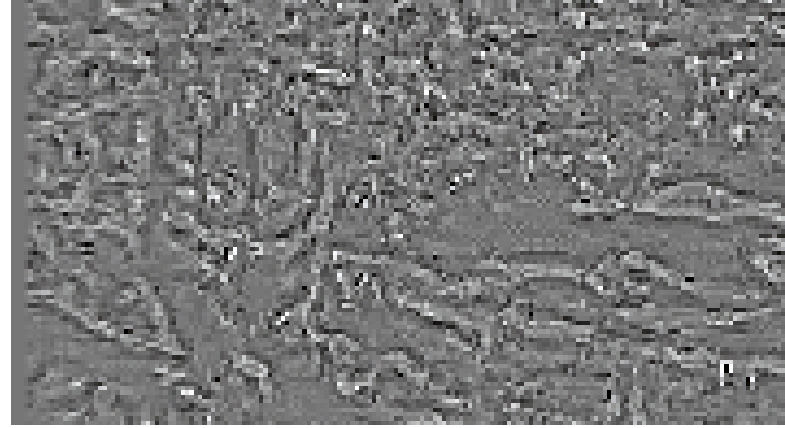


Belief Propagation

Input



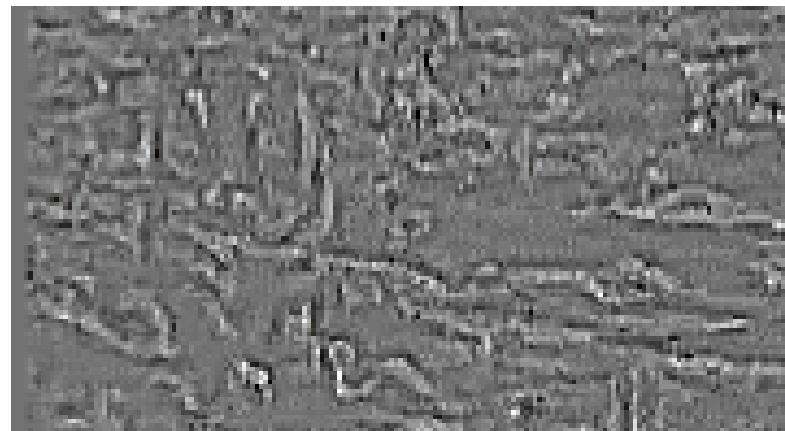
After a few iterations of belief propagation, the algorithm selects spatially consistent high resolution interpretations for each low-resolution patch of the input image.



Iter. 0



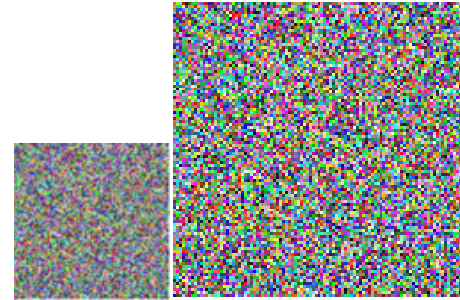
Iter. 1



Iter. 3

The algorithm learns that, in such a world, we add random noise when zoom to a higher resolution.

Original
50x58



Training images

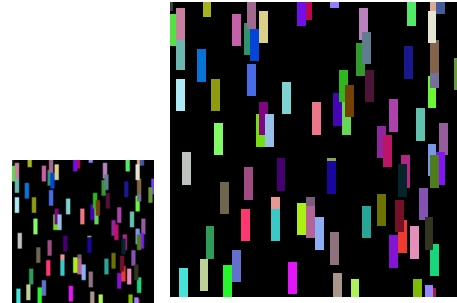
Markov
network



True

The Markov network algorithm hallucinates those vertical rectangles that it was trained on.

Original
50x58



Training images

Markov
network



True

The algorithm makes a reasonable guess at the high resolution image, based on its training images.

Original
50x58



Training images

Markov
network

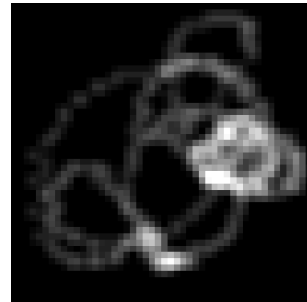


True

Image Blurring



=



**Blur
kernel**

Input to algorithm

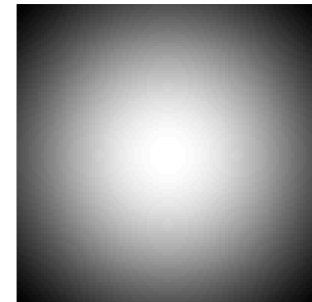
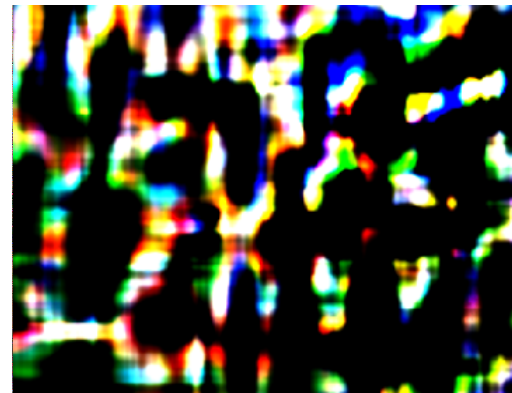
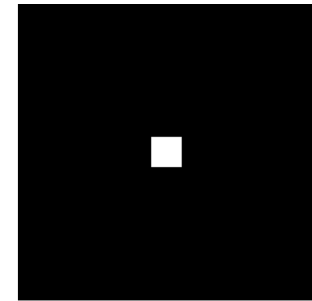
Desired output

Multiple possible solutions

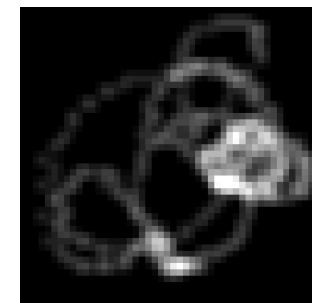
Sharp image



Blur kernel



Blurry image

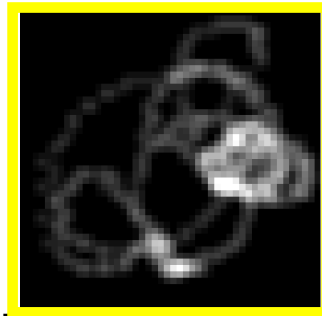


Three sources of information

1. Reconstruction constraint:



Estimated sharp image



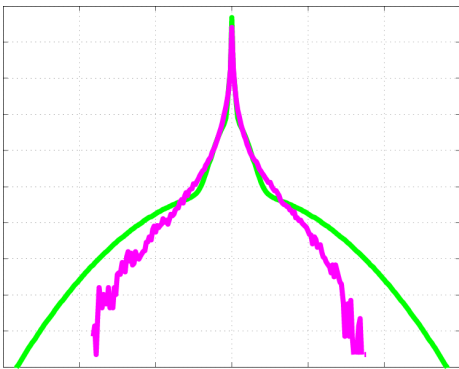
**Estimated
blur kernel**

=

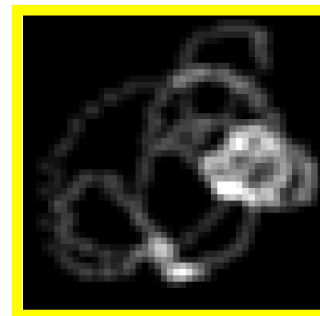


Input blurry image

2. Image prior:



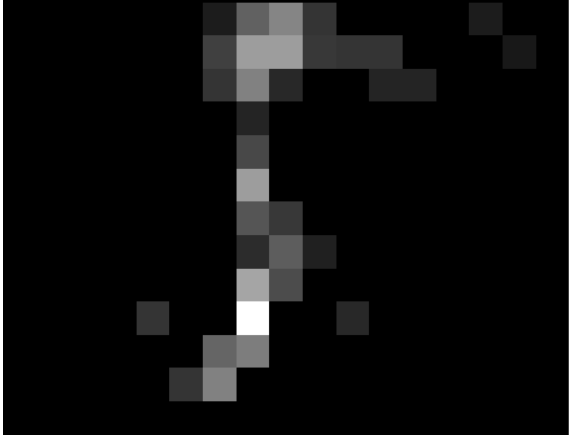
3. Blur prior:



Original photograph



Blur kernel

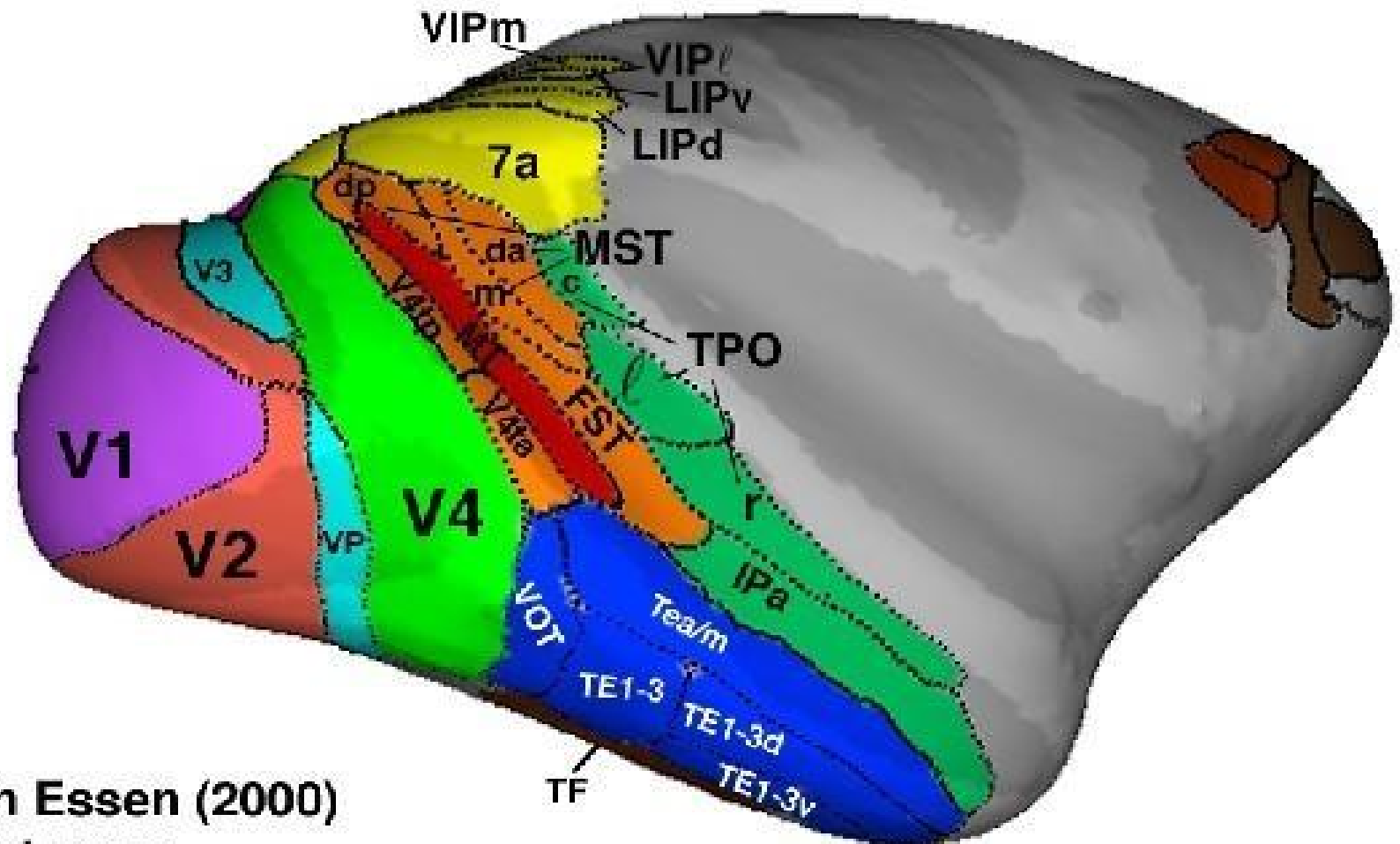


Output



Human Vision

Primary Visual Cortex



Lewis & Van Essen (2000)
Visual areas

V1 neurons

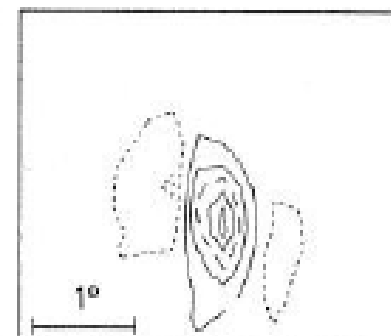
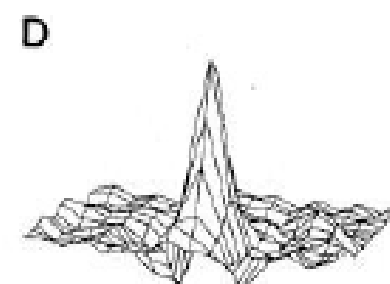
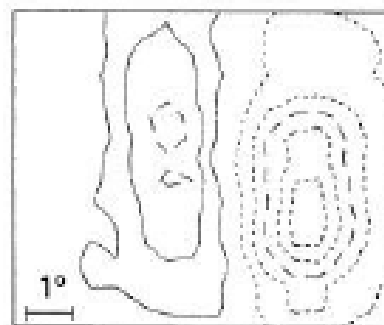
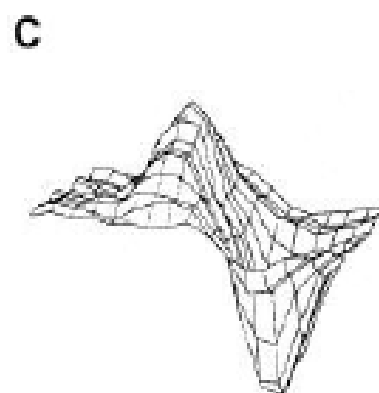
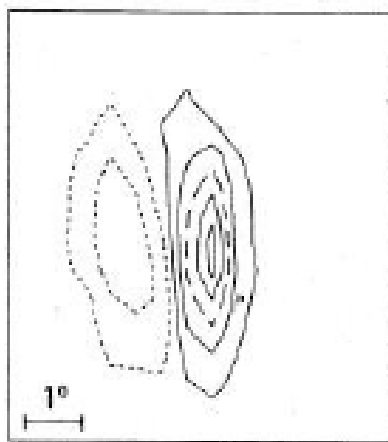
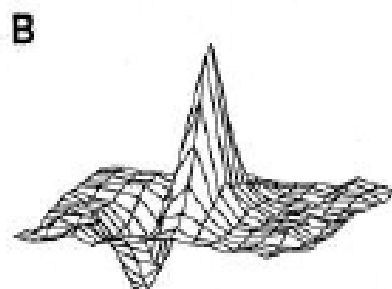
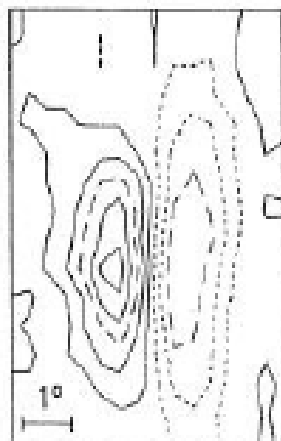
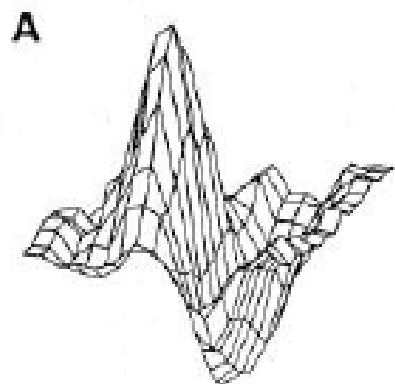
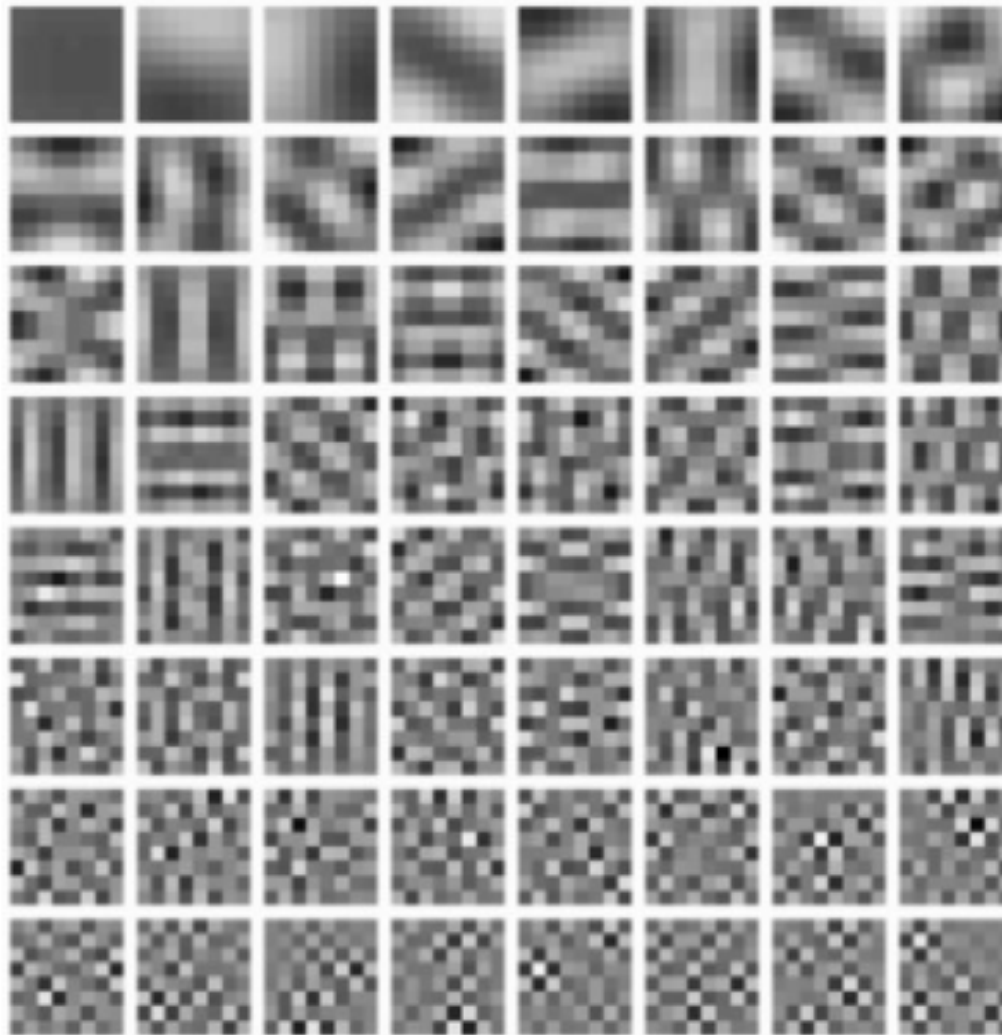
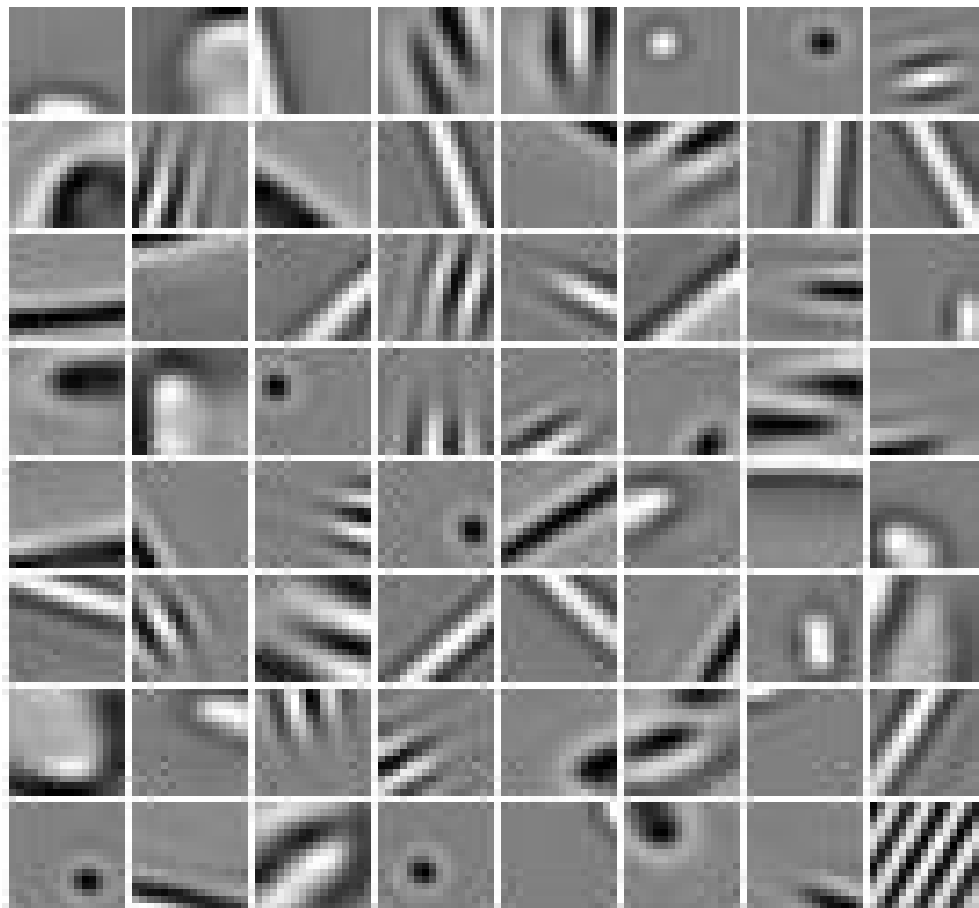


Image Patches



Better patches

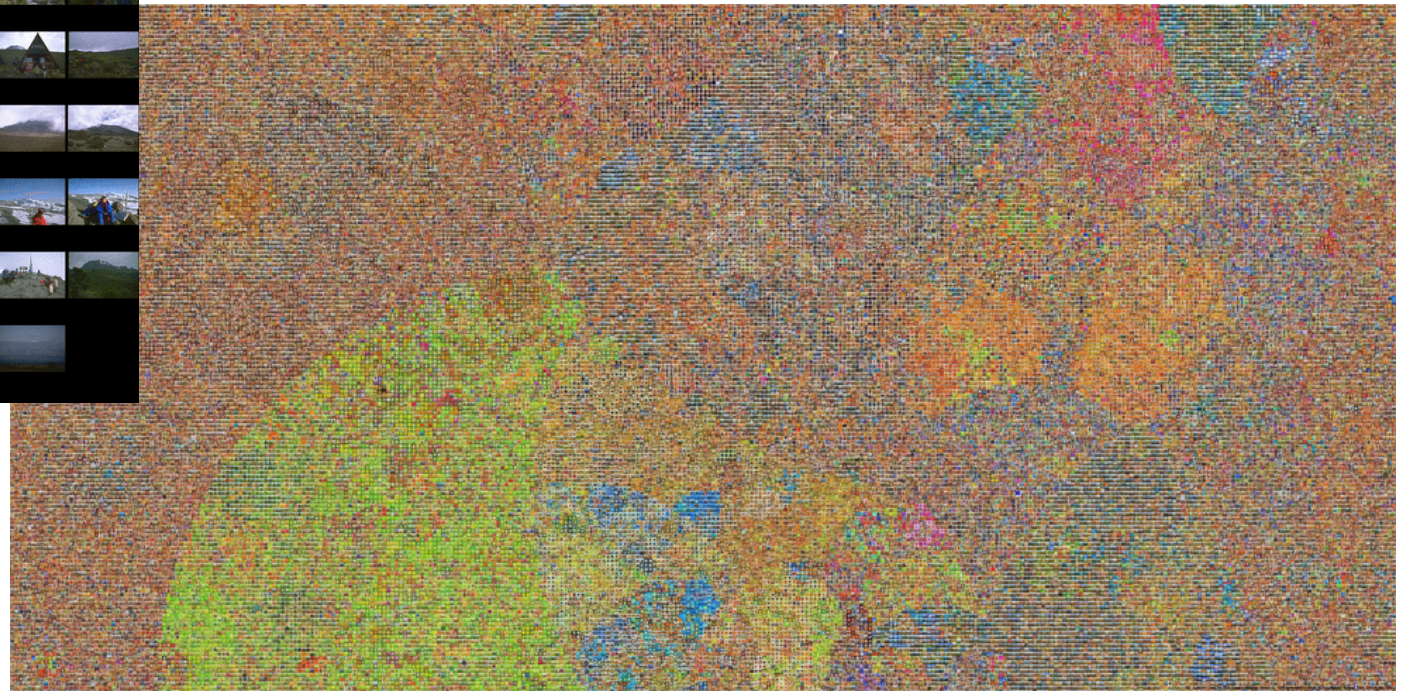


The Vision debate

- How do we combine Low-Level and High Level features?
- One side – Understand how vision works and Use the features obtained from the vision research to train classifier systems better.
- Other side – Huge amount of data available, features can be found by the Classifiers themselves.

Gigantic Image Collections

Object Recognition for large-scale image search



Spectrum of Label Information

Human annotations

Noisy labels

Unlabeled



References -

Lectures and Presentations by the speakers of the Microsoft Research Winter School on Machine Learning and Computer Vision.

<http://research.microsoft.com/en-us/events/winterschool2010/>

Thank You

Questions