# NEURAL PREDICTION CHALLENGE

-Cognitive Science Project

-Pulkit Agrawal -Gaurav Mishra

## HOW DO NEURONS WORK

### • Stimuli → Neurons respond (Excite/Inhibit)

• 'Electrical Signals' called Spikes

• Spikes encode information !! (Many Models)



# OUR CASE...

### • Stimuli $\rightarrow$ Video of Natural Images

• Response of 12 V1 neurons  $\rightarrow$  #Spikes





## CHARACTERISTICS OF NEURONS

- Maximum fire rate (Need to discharge)
- Latency in response
- Concept of Receptive Field
  - Region of space where stimulus if present → alters neural activity
- Simple v/s Complex V1 neurons
  - Phase invariance: in complex

# OUR DATA...

- A movie for each neuron
- Frames  $\rightarrow$  Down sampled images (16x16)
- Each frame
  - Image spans twice the receptive field diameter
  - 16ms in duration
- Known: #Spikes/frame
- To build a model correlating stimulus and spike count.

So, HOW TO DO IT ? • Problem: Stimulus Black Box Spike Rate

Concept of 'Filter'

Space and Time both ! Latency !



#### B. Linearized STRF

# PHASE INVARIANCE..



# THE MATH OF ESTIMATION..

$$r(t) = \left| \sum_{i=1}^{N} \sum_{u=0}^{U} h(x_i, u) s(x_i, t-u) - \theta + \varepsilon(t) \right|^+$$

$$S_{u} = \begin{bmatrix} s(1, 1-u) & s(2, 1-u) & \cdots & s(N, 1-u) \\ s(1, 2-u) & s(2, 2-u) & s(N, 2-u) \\ \vdots & \ddots & \vdots \\ s(1, T-u) & s(2, T-u) & \cdots & s(N, T-u) \end{bmatrix}$$

 $S = \begin{bmatrix} S_0 & S_1 & \cdots & S_U \end{bmatrix}$ 

 $r = |Sh - \theta + \varepsilon|^+.$ 



# SECOND APPROACH: MACHINE LEARNING

### • Recursive neural networks

- Composed of feed forward and feed back subnets.
- Were initially designed for the purpose of controlling nonlinear dynamical systems



Source: Hush et al. *The Recursive Neural Network and its Application in Control Theory*. Computers Elect. Engng. Vol. 19, No. 4, pp. 333-341, 1993

#### An exemplary recursive multi-layer perceptron:



$$\begin{aligned} \mathbf{x}_{I}(n+1) &= & \varphi_{I}(\mathbf{w}_{I} \cdot \begin{bmatrix} \mathbf{x}_{I}(n) \\ u(n) \end{bmatrix} \\ \mathbf{x}_{II}(n+1) &= & \varphi_{II}(\mathbf{w}_{II} \cdot \begin{bmatrix} \mathbf{x}_{II}(n) \\ \mathbf{x}_{I}(n) \end{bmatrix} \\ \mathbf{x}_{o}(n+1) &= & \varphi_{o}(\mathbf{w}_{o} \cdot \begin{bmatrix} \mathbf{x}_{o}(n) \\ \mathbf{x}_{II}(n) \end{bmatrix} \end{aligned}$$

# ECHO STATE NETWORKS

- Dynamic neural networks
- The hidden layer of ESN consists of a single large reservoir with neurons connected to each other randomly.



# USING RNNS

- RNNs have been used for inverse modeling purposes
- Can handle time series data because of the presence of feed back and delay mechanisms
- May need to down sample data even further to keep network size manageable.

### REFERENCES

- Predicting neural responses during natural vision, S. David, J.Gallant, Computation in neural systems 2005
- Wikipedia article on neural coding (<u>http://en.wikipedia.org/wiki/Neural\_coding</u>)
- Theunissen et al., Estimating spatial temporal receptive field of auditory and visual neurons from their responses to natural stimuli .Network: Comp Neural Systems 12:289–316.
- Hush et al. *The Recursive Neural Network and its Application in Control Theory*. Computers Elect. Engng. Vol. 19, No. 4, pp. 333-341, 1993
- Le Yang, Yanbo Xue. Development of A New Recurrent Neural Network Toolbox (RNN-Tool) (<u>http://soma.mcmaster.ca/~yxue/papers/RMLP\_ESN\_Report\_Yang\_Xue.pdf</u>)