

Reaching definitions analysis

Flow Sensitivity in Data Flow Analysis

- Flow Insensitive Analysis
 - Order of execution: Statements are assumed to execute in any order
 - As a result, all the program points in a procedure receive identical data flow information.
 - Summary" for the procedure
 - Safe approximation of flow-sensitive point-specific information for any point, for any given execution order
 - A statement can not "override" information computed by another statement
 - > NO Kill component in the flow function
 - If statement s kills some data flow information, there is an alternate path that excludes s

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- Type checking, Type inferencing
 - Compute/Verify type of a variable/expression
- Address taken analysis
 - > Which variables have their addresses taken?
 - A very simple form of pointer analysis
- Side effects analysis
 - Does a procedure modify address / global variable / reference parameter / ...?



	Points-to Analysis	Alias Analysis
	x = &a	x = a
	x points-to a	x and a are aliases
	x ightarrow a	$x \equiv a$
Reflexive?	No	Yes
Symmetric?	No	Yes
Transitive?	No	Must alias: Yes,
		May alias: No



Realizing Flow Insensitivity

 b_1 b_2 b_3 b_4 b_5 b_5 b_1 b_2 b_3 b_4 b_5 EXIT

In practice, dependent constraints are collected in a global repository in one pass and solved independently

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Subset based analysis

 $P_{lhs} \supseteq P_{rhs}$





Comparing Anderson's and Steensgaard's Analyses





- Equality based analysis: $P_{lhs} \equiv P_{rhs}$
- Only one Points-to successor at any time, merge (potential) multiple successors





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Must Points-to Analysis

Stmt	Subset based	Equality based
a = *b	$P_a \supseteq P_c, orall c \in P_b$	$MERGE(P_a, P_c), \forall c \in P_b$
*a = b	$P_{c} \supseteq P_{b}, \forall c \in P_{a}$	$MERGE(P_b, P_c), \forall c \in P_a$



- x definitely points-to a at various points in the program
- $i x \stackrel{\scriptscriptstyle D}{\rightarrow} a$







- At OUT of 2, x and b are must aliases
- At OUT of 3, x and a are must aliases
- At IN of 4, x can possibly be aliased with either a (or b)

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▶ (*x*, *a*), (*x*, *b*)

If we say: (x, a, b), Is it Precise? Safe?



- Makes sense only for Flow Sensitive analysis
- Why?
- ▶ Must analysis ⇒ Flow sensitive analysis
- ▶ Flow insensitive analysis ⇒ May analysis
- Why?



Never if flow insensitive analysis
For flow sensitive $\begin{array}{c}
 1 \\
 x = \&a; \\
 y = \&b; \\
 w = \&c; \\
 3 \\
 z = \&x; \\
 4 \\
 z = \&y; \\
 s \\
 \hline
 x = NULL; \\
 *w = NULL;
 \end{array}$

Updating Information: When Can We Kill?

- x, y may or may not get modified in 5: Weak update
- *c* definitely gets modified in 5: *Strong update*
- Must information is killed by Strong and Weak updates
- May information is killed only by Strong updates

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$$\begin{array}{lll} \mathsf{May}_{gen} & = & \{x \to p \mid y \to p \in \mathsf{May}_{IN}\} \\ \mathsf{May}_{kill} & = & \bigcup_{p \in \mathit{Vars}} \{x \to p\} \end{array}$$

$$\begin{array}{llllllllllllllllllllllll} \mathsf{Must}_{gen} &=& \{x \rightarrow p \mid y \rightarrow p \in \mathsf{Must}_{\mathit{IN}}\}\\ \mathsf{Must}_{\mathit{kill}} &=& \bigcup_{p \in \mathit{Vars}} \{x \rightarrow p\} \end{array}$$

$$\begin{array}{lll} \mathsf{May}_{gen} & = & \{x \to p \mid y \to p' \in \mathsf{May}_{\mathit{IN}} \text{ and } p' \to p \in \mathsf{May}_{\mathit{IN}} \} \\ \mathsf{May}_{\mathit{kill}} & = & \bigcup_{p \in \mathit{Vars}} \{x \to p\} \end{array}$$

$$\begin{array}{lll} \mathsf{May}_{gen} &=& \{x \to p \mid y \to p' \in \mathsf{Must}_{\mathit{IN}} \text{ and } p' \to p \in \mathit{tin} \} \\ \mathsf{May}_{\mathit{kill}} &=& \bigcup_{p \in \mathit{Vars}} \{x \to p\} \end{array}$$

$$\begin{array}{lll} \mathsf{May}_{gen} &=& \{x \to y\} \\ \mathsf{May}_{kill} &=& \bigcup_{p \in \mathit{Vars}} \{x \to p\} \end{array}$$

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$$\begin{array}{lll} \mathsf{May}_{gen} &=& \{p \to p' \mid x \to p \in \mathsf{May}_{IN}, y \to p' \in \mathsf{May}_{IN} \} \\ \mathsf{May}_{kill} &=& \bigcup_{p' \in \mathit{Vars}} \{p \to p' \mid x \to p \in \mathsf{Must}_{IN} \} \\ \end{array}$$

Summarizing Flow Functions

- May Points-To analysis
 - A points-to pair should be removed only if it must be removed along all paths
 - ightarrow should remove only strong updates
 - $\blacktriangleright \Rightarrow$ should kill using Must Points-To information
- Must Points-To analysis
 - A points-to pair should be removed if it can be removed along some path
 - \blacktriangleright \Rightarrow should remove all weak updates
 - ightarrow ightarrow should kill using May Points-To information
- ▶ Must Points-To ⊆ May Points-To

A pointer variable

	May	Must
Points-to	points to every possible	points to nothing
	location	
Alias	aliased to every other	only to itself
	pointer variable	



Non-Distributivity of Points-to Analysis

